Stefano Frixione

Update on MC@NLO

MCWS, Frascati, 24/10/2006

SF & B. Webber, JHEP 0206(2002)029 [hep-ph/0204244] SF, P. Nason & B. Webber, JHEP 0308(2003)007 [hep-ph/0305252] SF, E. Laenen, P. Motylinski & B. Webber, JHEP 0603(2006)092 [hep-ph/0512250]

MC@NLO 3.2 [hep-ph/0601192]

IPROC	IV	IL_1	IL_2	Spin	Process
-1350-IL				\checkmark	$H_1H_2 \to (Z/\gamma^* \to) l_{\rm IL} l_{\rm IL} + X$
-1360-IL				\checkmark	$H_1H_2 \to (Z \to)l_{\rm IL}l_{\rm IL} + X$
-1370-IL				\checkmark	$H_1H_2 \to (\gamma^* \to) l_{\rm IL} l_{\rm IL} + X$
-1460-IL				\checkmark	$H_1H_2 \to (W^+ \to) l_{\rm IL}^+ \nu_{\rm IL} + X$
-1470-IL				\checkmark	$H_1H_2 \to (W^- \to) l_{\rm IL}^- \bar{\nu}_{\rm IL} + X$
-1396				\times	$H_1H_2 \to \gamma^* (\to \sum_i f_i f_i) + X$
-1397				×	$H_1H_2 \to Z^0 + X$
-1497				×	$H_1H_2 \to W^+ + X$
-1498				×	$H_1H_2 \to W^- + X$
-1600 - ID					$H_1 H_2 \to H^0 + X$
-1705					$H_1H_2 \to b\bar{b} + X$
-1706				×	$H_1H_2 \to t\bar{t} + X$
-2000-IC				×	$H_1 H_2 \to t/\bar{t} + X$
-2001 - IC				×	$H_1 H_2 \to \bar{t} + X$
-2004 - IC				×	$H_1H_2 \to t + X$
-2600 - ID	1	7		×	$H_1H_2 \to H^0W^+ + X$
-2600 - ID	1	i		\checkmark	$H_1H_2 \to H^0(W^+ \to) l_i^+ \nu_i + X$
-2600 - ID	-1	7		×	$H_1 H_2 \to H^0 W^- + X$
-2600 - ID	-1	i		\checkmark	$H_1H_2 \to H^0(W^- \to) l_i^- \bar{\nu}_i + X$
-2700 - ID	0	7		×	$H_1H_2 \to H^0Z + X$
-2700 - ID	0	i		\checkmark	$H_1H_2 \to H^0(Z \to) l_i l_i + X$
-2850		7	7	×	$H_1H_2 \to W^+W^- + X$
-2850		i	j	\checkmark	$H_1H_2 \to (W^+ \to) l_i^+ \nu_i (W^- \to) l_j^- \bar{\nu}_j + X$
-2860		7	7	×	$H_1 H_2 \to Z^0 Z^0 + X$
-2870		7	7	×	$H_1 H_2 \to W^+ Z^0 + X$
-2880		7	7	\times	$H_1H_2 \rightarrow W^-Z^0 + X$

Recent activities:

- Spin correlations in tt and single-top production
- ► Wt channel for single-top production
- Improvements to Higgs production
- Interface to HERWIG++ (ISR only)
- Dijet production

http://www.hep.phy.cam.ac.uk/theory/webber/MCatNLO

Spin correlations: definitions

In the production process

$$a + b \longrightarrow \mathbf{P}(\longrightarrow d_1 + \dots + d_n) + X$$

there are

- ▶ Decay s.c.: if there is a non-trivial dependence on $(d_i \cdot d_j)$
- ▶ Production s.c.: if there is a non-trivial dependence on $(d_i \cdot a)$, $(d_i \cdot b)$, $(d_i \cdot X)$

MC@NLO always implements decay s.c. through HERWIG

Production s.c. are available in v3.2 for dilepton, H, WH, ZH, W^+W^- processes

Production s.c. are now also included in $t\bar{t}$ and single-top processes

Production spin correlations

The standard way: compute the matrix elements for

$$a + b \longrightarrow (P \longrightarrow)d_1 + \dots + d_n + X$$
 Full ME

This full-ME strategy is implemented in MC@NLO for:

- ▶ Single-V production ($V = W, Z, \gamma, Z/\gamma$)
- ▶ VH production (V = W, Z)

For large-multiplicity final states this may not be convenient, since

- ME must be integrated and unweighted
- ► The integration time increases and the unweighting efficiency decreases (for MC@NLO, typically ε=10-40%) by increasing the number of final-state particles

For W^+W^- , $t\bar{t}$ and t production we have implemented an alternative strategy: hit-and-miss

Hit-and-miss

Whatever the behaviours of the decay products, the momenta of the decaying particles will not change

→ The full ME's must be bounded from above by the undecayed ME's, times a suitable constant. Find this bound and do hit-and-miss

Advantages

- Only the undecayed ME's will be integrated: no further loss of time
- Unweighting is a two-step procedure: first get the P's momenta, then the d's momenta with hit-and-miss

Vector bosons (tested and running)

$$\frac{d\sigma_{l_1\bar{l}_1\dots l_n\bar{l}_n}}{d\Phi_{2n+k}} \le \left(\prod_{i=1}^n \frac{2F_{V_i}^2 \left(V_{V_il_i} + A_{V_il_i}\right)^2}{\Gamma_{V_i}^2}\right) \frac{d\sigma_{V_1\dots V_n}}{d\Phi_{n+k}}$$

Top (tests done – not yet released)

$$\frac{d\sigma_{b_{1}l_{1}\nu_{1}...b_{n}l_{n}\nu_{n}}}{d\Phi_{3n+k}} \leq \left(\prod_{i=1}^{n} \frac{4g_{W}^{4} \left|V_{tb}\right|^{2} \left(k_{t_{i}} \cdot k_{l_{i}}\right) \left(k_{b_{i}} \cdot k_{\nu_{i}}\right)}{\left(\left(q_{i}^{2} - m_{W}^{2}\right)^{2} + (m_{W}\Gamma_{W})^{2}\right) m_{t}^{2}\Gamma_{t}^{2}}\right) \frac{d\sigma_{t_{1}...t_{n}}}{d\Phi_{n+k}}$$

Results for W^+W^-



- Virtual effects appear to be unimportant
- The effect of spin correlations is strictly dependent on the observable
- Released with v3.1

Thanks to Bill Quayle and Volker Drollinger for testing a preliminary version

Spin correlations in $t\bar{t}$ I



All single-inclusive distributions have this pattern

Almost all correlations display a similar behaviour

"Large" is here confortably small. Will this stay true after acceptance cuts?

Spin correlations in $t\bar{t}$ II



These are the only cases in which I've found non-negligible effects

Spin correlations are not the whole story: for $\Delta \phi$, <u>NLO effects</u> are clearly visible

Observables can be designed to specifically target spin correlations \longrightarrow

Spin correlations in $t\bar{t}$ III



NLO corrections again visible and in agreement with parton-level fixed-order results

▶ These kinds of observables are difficult to define in practice: need to know the rest frames of the $t\bar{t}$ system, of the t and of the \bar{t}

Spin correlations in single top



- ▶ For single-top, "large" is large indeed: the production proceeds through W exchange which effectively polarizes the top
- \blacktriangleright The effects are visible in single-inclusive observables (at variance with $t\bar{t}$)

MC@NLO: reminder

MC@NLO generating functional (simplified notation)

$$\mathcal{F}_{\text{MC@NLO}} = \int_{0}^{1} dx \left[\mathcal{F}_{\text{MC}}(S, x) \frac{\alpha_{S}[R(x) - BQ(x)]}{x} + \mathcal{F}_{\text{MC}}(S, 0) \left(B + \alpha_{S}V + \frac{\alpha_{S}B[Q(x) - 1]}{x} \right) \right]$$

- ► The form of Q(x) is dictated by the parton shower MC@NLO is interfaced to. For HERWIG, it is a Θ function \longrightarrow dead zone
- ▶ We may, however, replace the ⊖ function in HERWIG with a smoother function, in order to reduce border effects. This can be done easily *without* modifying the code
- This also allows one to study matching ambiguity
- Never done in practice so far, border effects being invisible

Results (for a toy model)



Very smooth transition across the dead zone border (good control beyond NLO)

Border effects in Higgs production



Pointed out by the Wisconsin group (ATLAS)

- Affects hardest-jet p_T
- New version stops HERWIG shower at $\alpha m_H \leq p_T \leq m_H/\sqrt{2}$, with p_T generated according to a probability function $\mathcal{P}(\alpha m_H) = 1$, $\mathcal{P}(m_H/\sqrt{2}) = 0$
- ► This also allowed us to change the scale of α_s in the MC counterterms \implies negative weights went down to 5% (were 8%)

On MC@NLO code

Time for the inclusion of a new process is spent:

- ♦ 80% for the pure-NLO computation
- ♦ 15% for MC counterterms and LHI-related code
- ♦ 5% debugging

The structure of the MC counterterms is modular

 $\mathcal{M}^{\scriptscriptstyle{(\mathrm{MC})}} = \mathcal{K}^{\scriptscriptstyle{(\mathrm{MC})}} \mathcal{M}^{(b)}$

Kernels $\mathcal{K}^{\scriptscriptstyle{(MC)}}$ now fully worked out for HERWIG

■ Work in progress (Seyi Latunde-Dada) on the computation of *K*^(MC) for HERWIG++. ISR now done

W production with MC@NLO/HERWIG++



- We know that old-style ME corrections distort the p_T spectrum
- ▶ We see that by adding the full NLO MEs one improves the agreement to data
- ► This is without specific tuning. Also, it is not yet known how to include a k_T -kick into HERWIG++ (affects lowest- p_T bins)

Conclusions

- The addition of spin correlations (to be officially released with the next version) adds interesting features in top physics – we are beginning to study phenomenology implications
- We have seen in the case of Higgs production that by limiting MC radiation one has beneficial effects. Presumably will have an impact on jet shapes in $t\bar{t}$ production (to be tested soon)
- This is a very well known technique in matched computations based on analytical resummations
- HERWIG++ has started producing results. More will follow