

Higgs Boson discovery at the LHC

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Outline

- Physics of the Higgs Boson at LHC
- Overview of the main inclusive discovery channels
 - ◆ $H \rightarrow \gamma\gamma$
 - ◆ $H \rightarrow ZZ \rightarrow 4l$
 - ◆ $H \rightarrow WW \rightarrow 2l2\nu$
- 2 brief examples of exclusive channels
 - ◆ $t\text{-}t_{\text{bar}} H; H \rightarrow bb$
 - ◆ $q\text{-}q_{\text{bar}} H; H \rightarrow WW \rightarrow \mu\nu qq_{\text{bar}}$
- Higgs properties measurement (Mass, Width, quantum numbers)

Disclaimer: results for CMS only (Physics TDR to appear soon)

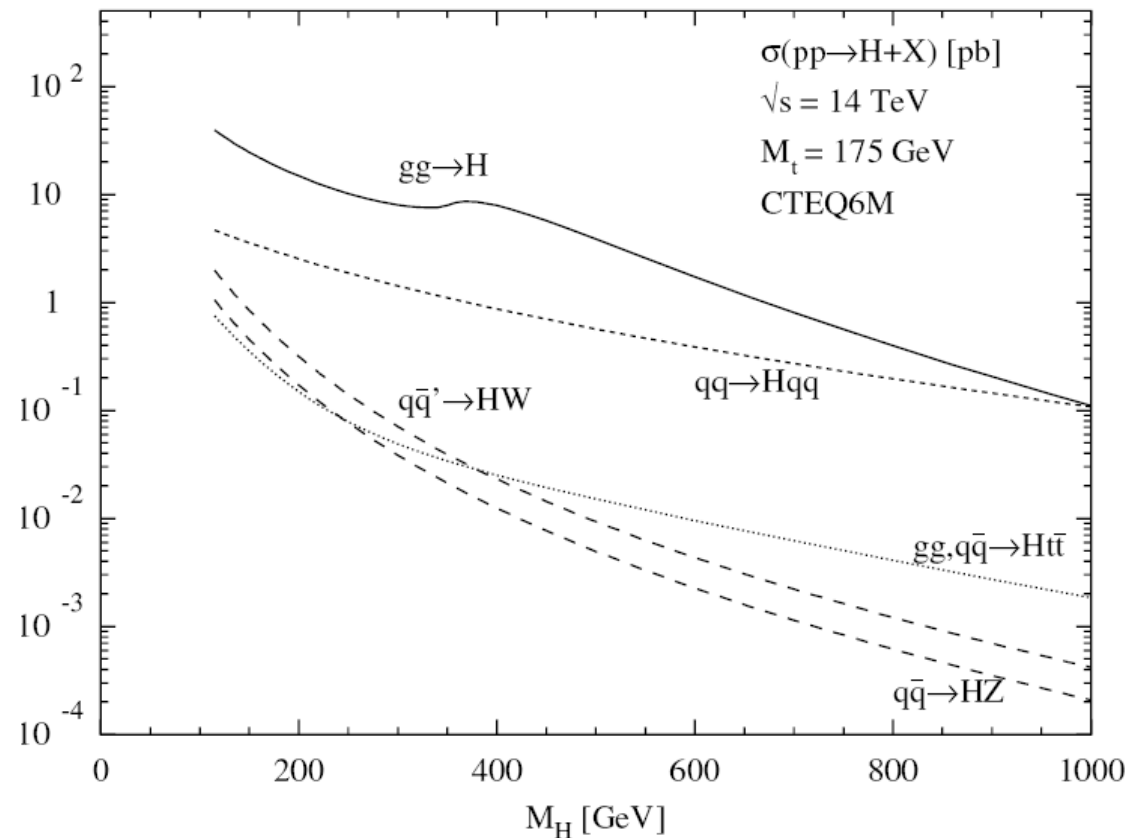
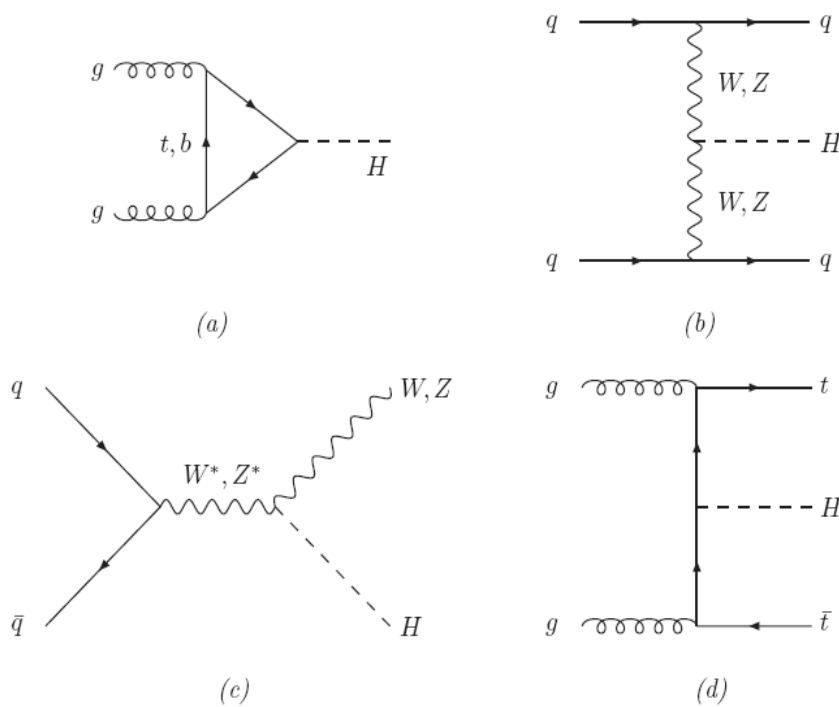
LHC status

- No more so far to come
- Installation progressing well on schedule. Pilot run end 2007
- Integrated luminosity in 2008 (4 months) $\sim < 1 \text{ fb}^{-1}$



Higgs at LHC

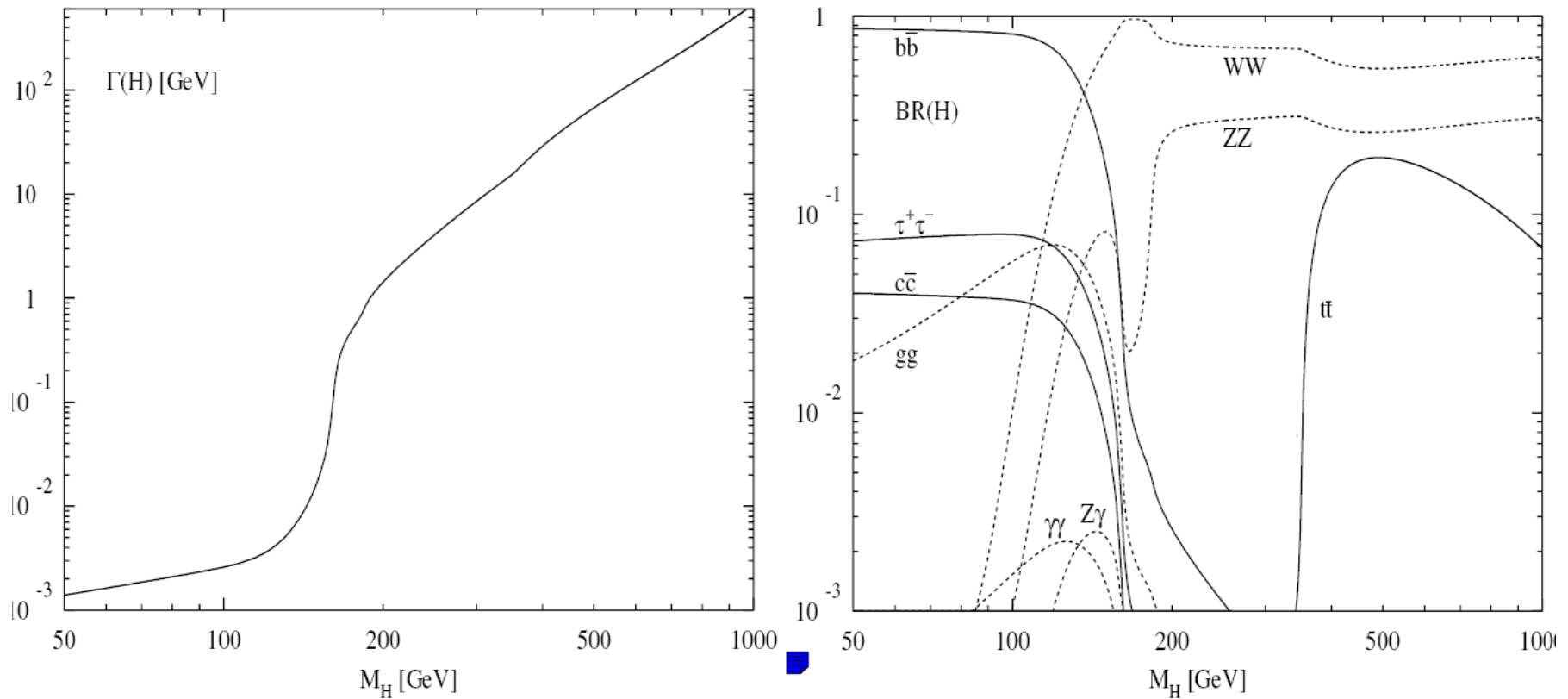
Production



- gluon-gluon fusion main production mechanism in the whole mass range
- $O(10)$ pb for $M_H < 200$ GeV \Rightarrow 1 Higgs every ~ 30 sec at $2 \cdot 10^{33} \text{ cm}^{-2} \text{ s}^{-1}$
- Vector Boson Fusion has sizable x-section. Important for Higgs coupling and for W - W scattering (unitarity-violating ~ 800 GeV)
- t - t_{bar} associated production relevant at low M_H

Higgs at LHC

Decay



- $b\bar{b}$ dominates for low M_H (till $M_H \sim 130$ GeV)
- WW dominant decay mode in the rest of the mass range
- ZZ opens up for $M_H > \sim 2M_Z$
- $\Gamma_H < 1$ GeV for $M_H < 200$ GeV, afterwards grows \sim linearly with the mass (still a resonance?)

Higgs discovery channels

- At \sqrt{s} $O(100)$ GeV, QCD but also Electroweak processes have huge x-sections. Signal events are overwhelmed by the background.
- To isolate a phase-space region with mainly signal events (if possible) background rejection of $O(10^5)$ needed.

Main channels

- Mass range [115 , 130] GeV
 - ♦ $H \rightarrow \gamma\gamma$
- Mass range [130 , 150] and [180 , Λ]
 - ♦ $H \rightarrow ZZ \rightarrow 4l$ ($l = \mu, e$) golden channel
- Mass range [150 , 170] GeV
 - ♦ $H \rightarrow WW \rightarrow 2l2\nu$ ($l = \mu, e$) silver channel
- Exclusive (initial) final states can help in reducing the possible SM backgrounds:
 - ♦ $t\text{-}t_{\text{bar}}$ H; $H \rightarrow bb$ or $H \rightarrow \gamma\gamma$
 - ♦ $q\text{-}q_{\text{bar}}$ H; $H \rightarrow WW \rightarrow \mu\nu qq_{\text{bar}}$; $H \rightarrow tt$; . . .
- usually disfavored by the small x-section, by the difficult to predict contribution from SM background and detector performances

$H \rightarrow \gamma\gamma$

- In the low mass range no hope for $H \rightarrow b\bar{b}$ inclusive search
- Decay occurs via W , top and bottom loop. $BR \sim 2 \cdot 10^{-3}$ till $M_H < 140$
- $\sigma \cdot BR$ ranging between 100 and 70 fb between LEP limit (115) and 140 GeV

Backgrounds

- 2 real prompt photons (irreducible):
 - ◆ production via $q\bar{q}$ and gg with a box diagram
 - ◆ processes simulated at LO and renormalized with global K factor to NLO
- $\gamma + \text{jet}$ (reducible)
 - ◆ the 2nd candidate from photon emitted during jet fragmentation or mis-identified jet or isolated π^0
- > 2 jets (reducible)
 - ◆ both photon candidates from mis-measured jets
 - ◆ huge x-section. Difficult to simulate the needed statistics \Rightarrow cuts at generator level

H- $\gamma\gamma$ Detector Issues

Calorimetry

- H- $\gamma\gamma$ sets the most stringent requirements for electromagnetic calorimeter performances. Optimal energy resolution for M_H determination and granularity for π^0 suppression

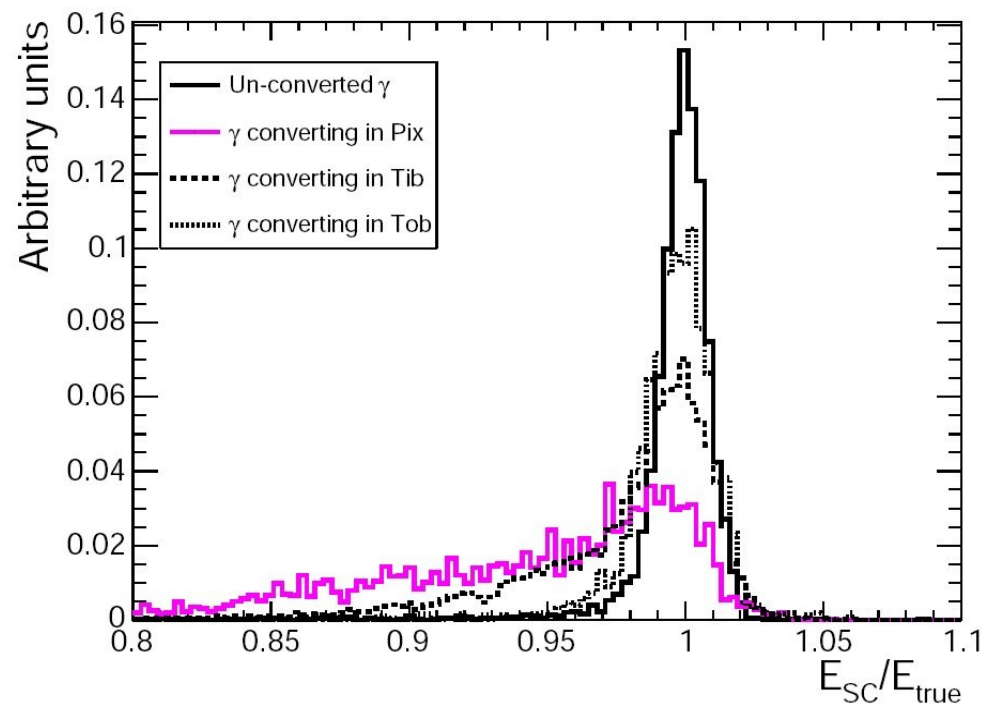
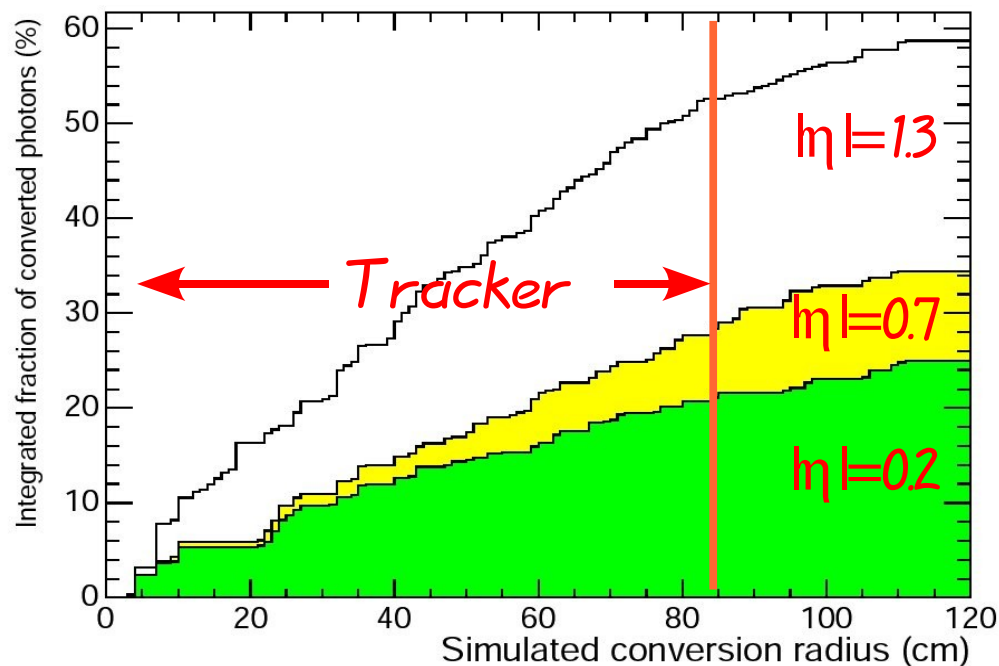
Primary Vertex

- At LHC the longitudinal spread of the interaction vertices is of 53 mm resulting in almost 2 GeV smearing in M_H resolution
- The hard scattering produces charged tracks with harder momentum than minimum bias interactions
- Tracking back those tracks allows to define the primary vertex with a 5mm precision in 83% of the signal events at low luminosity (warning for high lumi)

H $\rightarrow\gamma\gamma$ Detector Issues

Photon Conversion

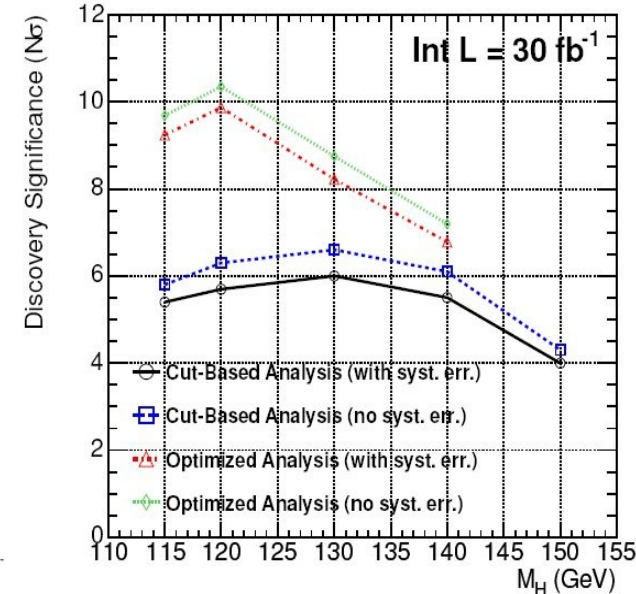
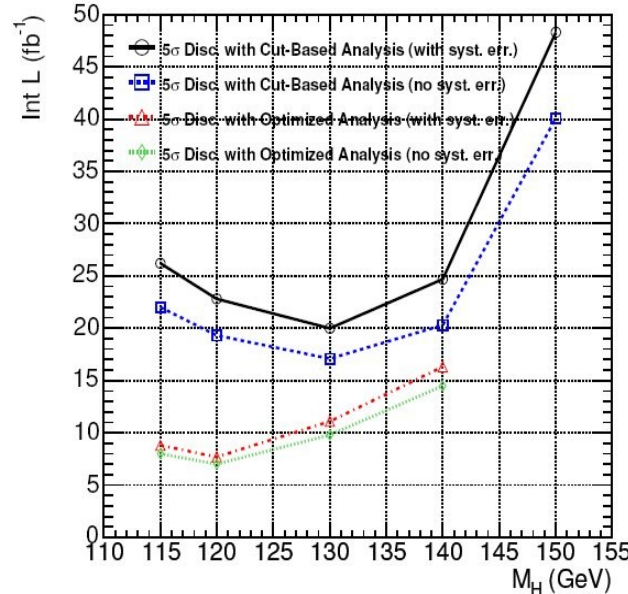
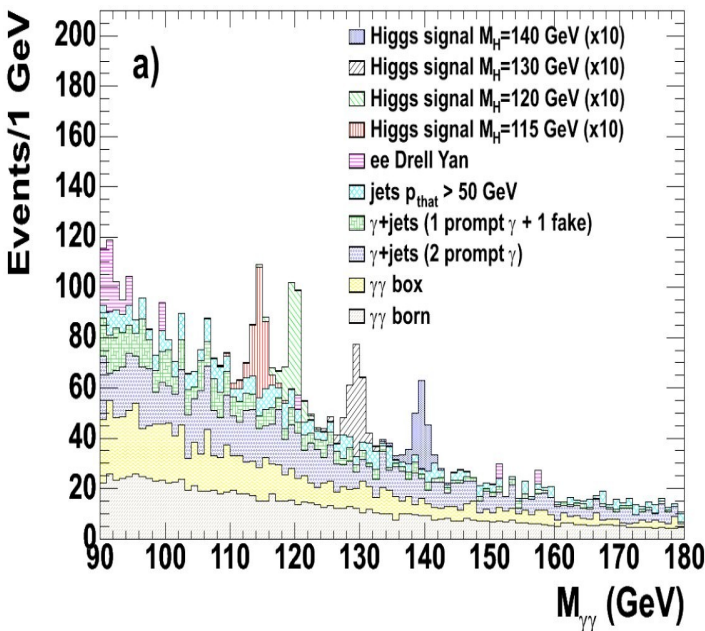
- Big amount of material before the Electromagnetic calorimeter
- High probability of the photon to convert into e^+e^- pairs before reaching the E-cal \Rightarrow M resolution spoiled!



- Tracker itself used to reconstruct the e^+e^- pairs and to recover the photon energy resolution

H- $\rightarrow\gamma\gamma$ Analysis and Results

- Two approaches:
 - ◆ Standard cut-based analysis (photons' E_t and isolation) applied to different $|\eta|$ regions
 - ◆ Neural Network optimized analysis profiting of the different signal-background kinematics and photon candidate isolation
- Background estimation from sidebands. Systematic error from the predicted shape, statistics uncertainty from the mass range to perform the fit on



- At low luminosity 25 fb^{-1} are needed for discovery in the range 115-140 GeV. Less than 15 fb could be sufficient for the optimized analysis
- $\sim 5 \text{ fb}$ sufficient to exclude at 95% CL

H → ZZ → 4l

- muons (cleanest), electrons and combinations (double x-sec) considered as possible final states. Signal produced at LO and reweighted at NLO with $K(\mathcal{P}t_H)$. Further enhancement due to interference of permutation of identical fermions from different Z's (15% at low M_H).

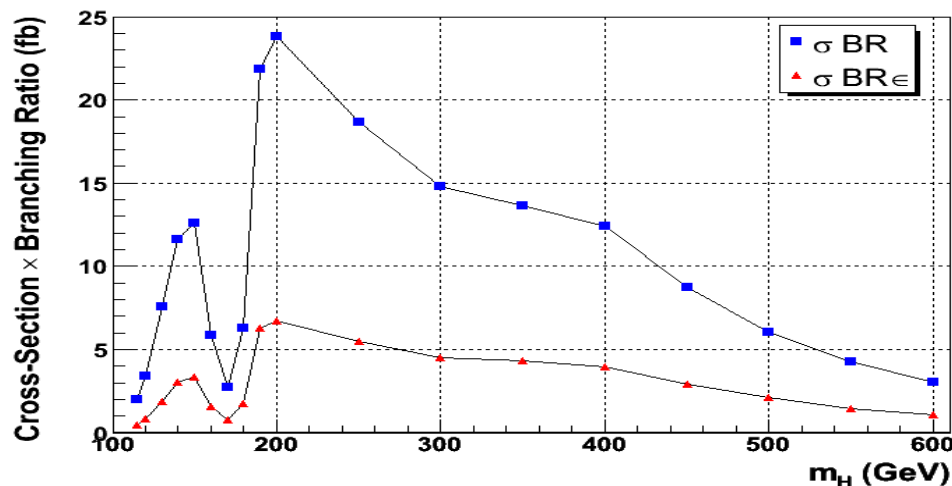
- Backgrounds:

- ◆ Z/γ – Z/γ (irreducible). Generated with CompHEP (t and s channels) and reweighted with $K(M_H)$ to NLO (MCFM). $gg \rightarrow ZZ$ also included

- ◆ Z/γ – b – b_{bar} . Generated with CompHEP (gg and qqbar initial state) and reweighted with constant K to NLO (MCFM)

- ◆ t – t_{bar} . NLO x-sec (840 pb) used

- Other processes as bbbb, bbcc, cccc, single-top Z-cc, Wbb, Wcc demonstrated to be negligible



$Z_e Z_\mu$ final state

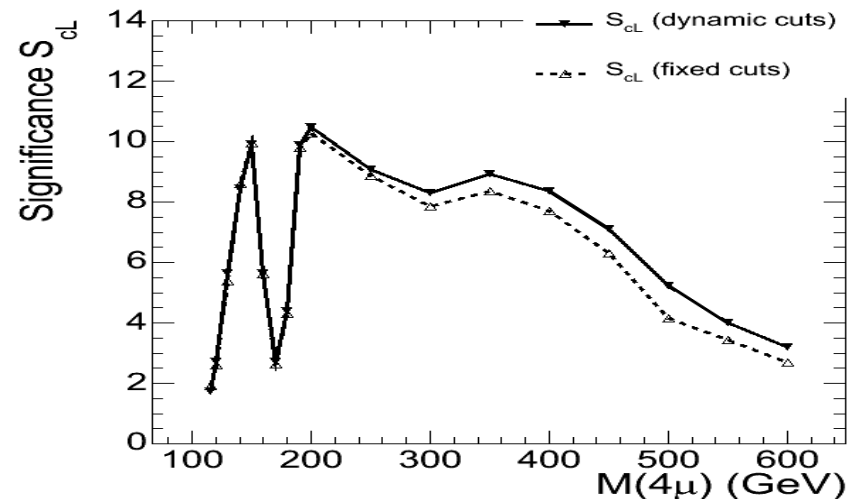
	tt	Zbb	ZZ
σ (fb)	840×10^3	555×10^3	28.9×10^3
$\sigma \cdot \text{BR} \cdot \epsilon$ (fb)	744	390	37.0

H → ZZ → 4l

Selections and Search strategies

- Cleanest signal possible: 4 isolated, high P_t leptons pointing to the same primary vertex with at least two lepton with $M_{ll} \sim M_Z$
- Two selections strategies:
 - ◆ M_H independent cuts (all analysis): to reduce systematic uncertainties and MC dependence
 - ◆ M_H dependent cuts (4 μ final state): M_{4l} is the most discriminating variable
⇒ Optimization only on isolation, P_t of the 3rd μ and window M_{4l}
- In both cases only ZZ → 4l remains as important background the others being negligible
- All analysis use to discriminate the presence of the signal the significance estimator(s) based on log-likelihood ratio

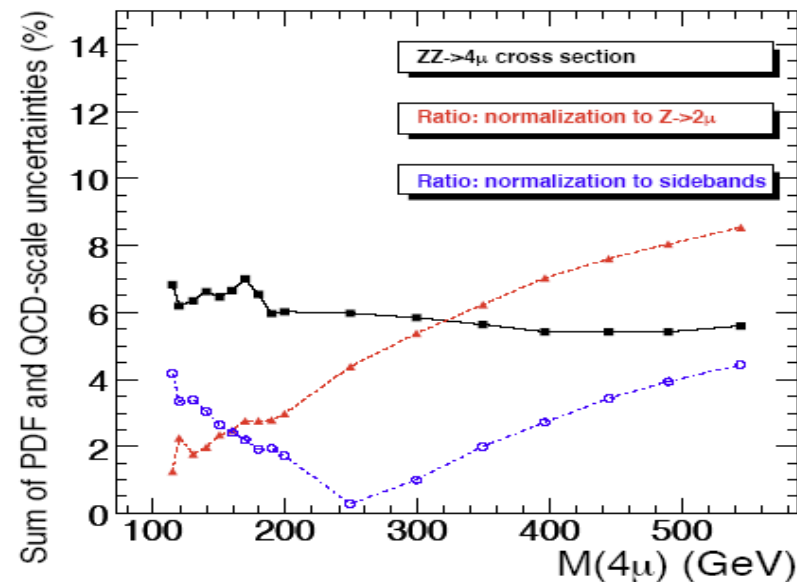
$$S_L = \sqrt{-2 \ln Q} \text{ where } Q = \left(1 + \frac{N_s}{N_b}\right)^{N_s + N_b} e^{-N_s}$$



H → ZZ → 4l

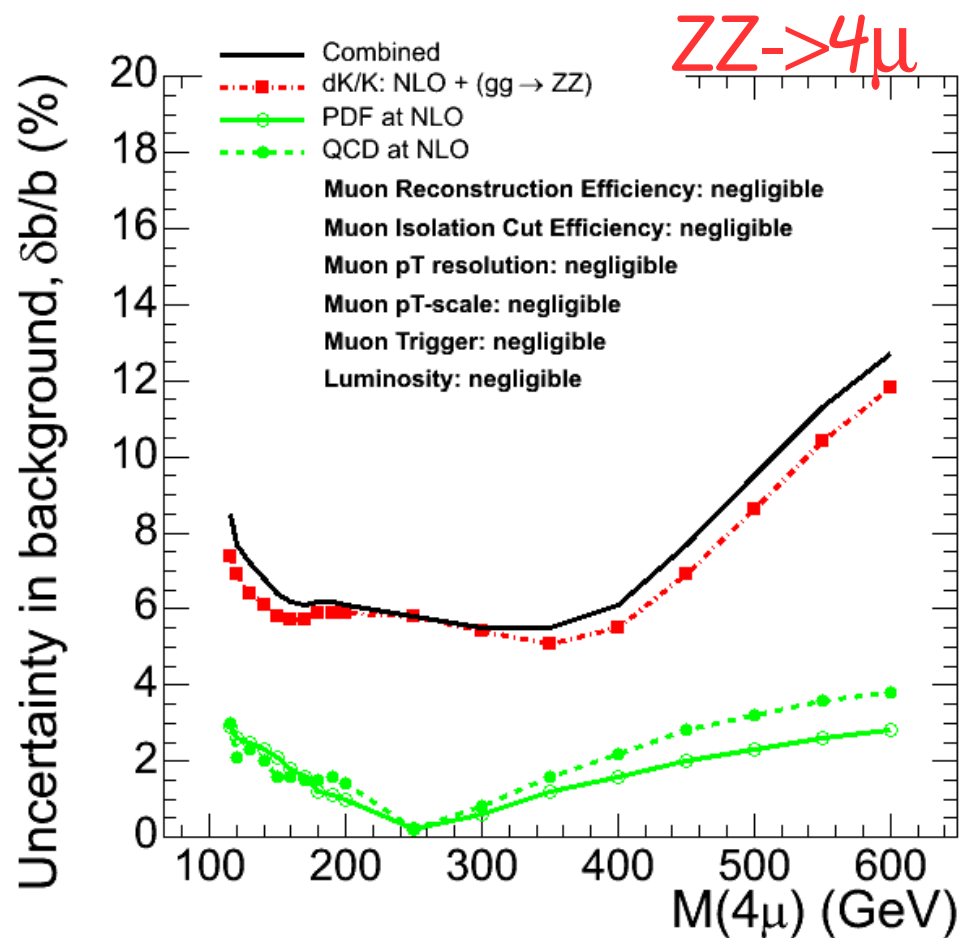
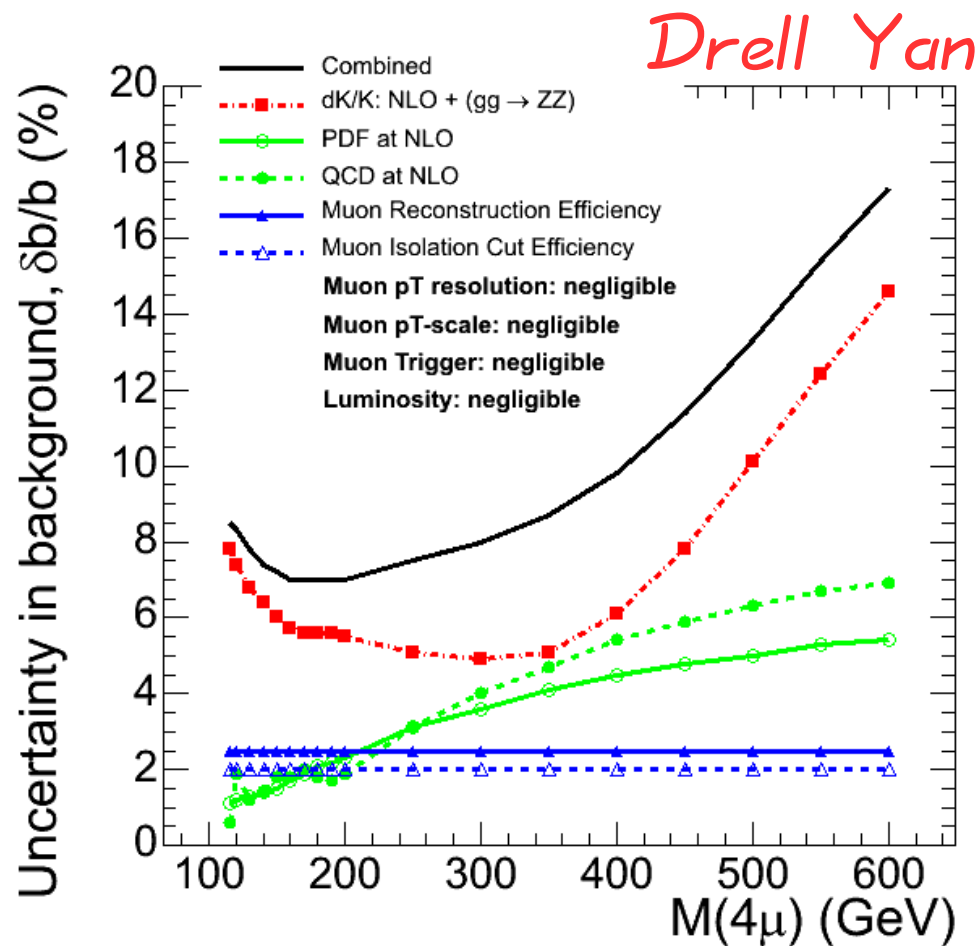
Systematics on ZZ → 4l

- Sources:
 - ◆ PDF and QCD scale
 - ◆ NLO vs LO dynamics
 - ◆ Isolation efficiency
 - ◆ Reconstruction efficiency (only for electrons)
 - ◆ Energy/Momentum Scale
 - ◆ Identification (charge)
- Normalization from data compulsory. Two control samples:
 - ◆ **Drell Yan** (no statistical limitation)
 - ◆ **M_H sidebands** (reduces NLO-LO uncertainties, pays low statistics)



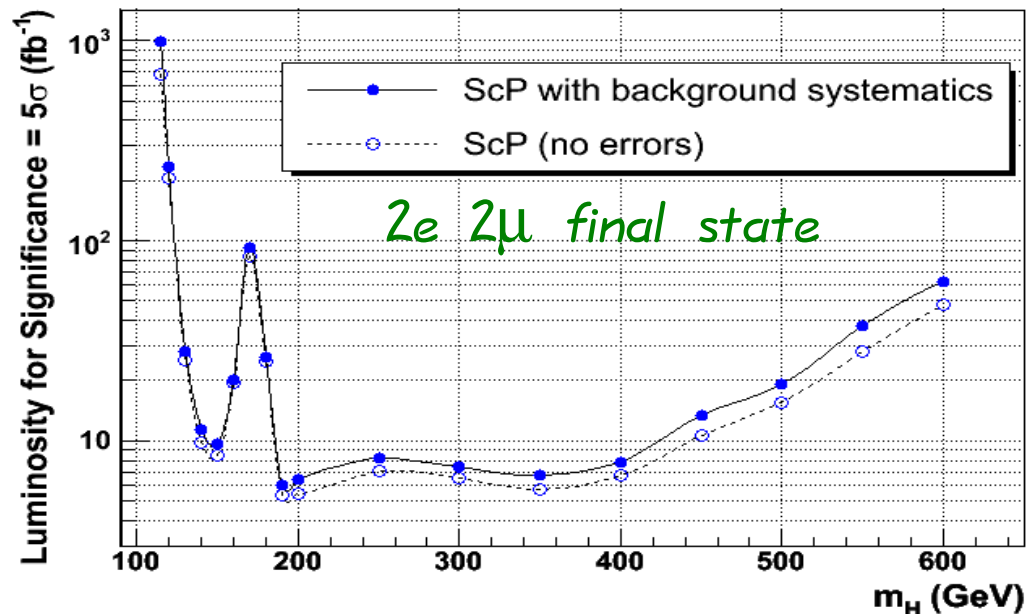
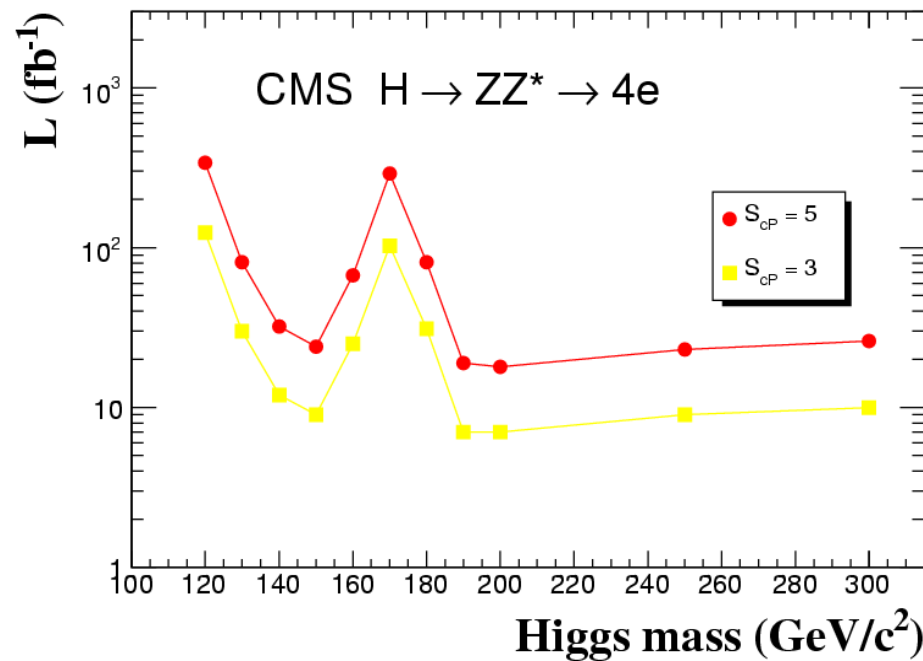
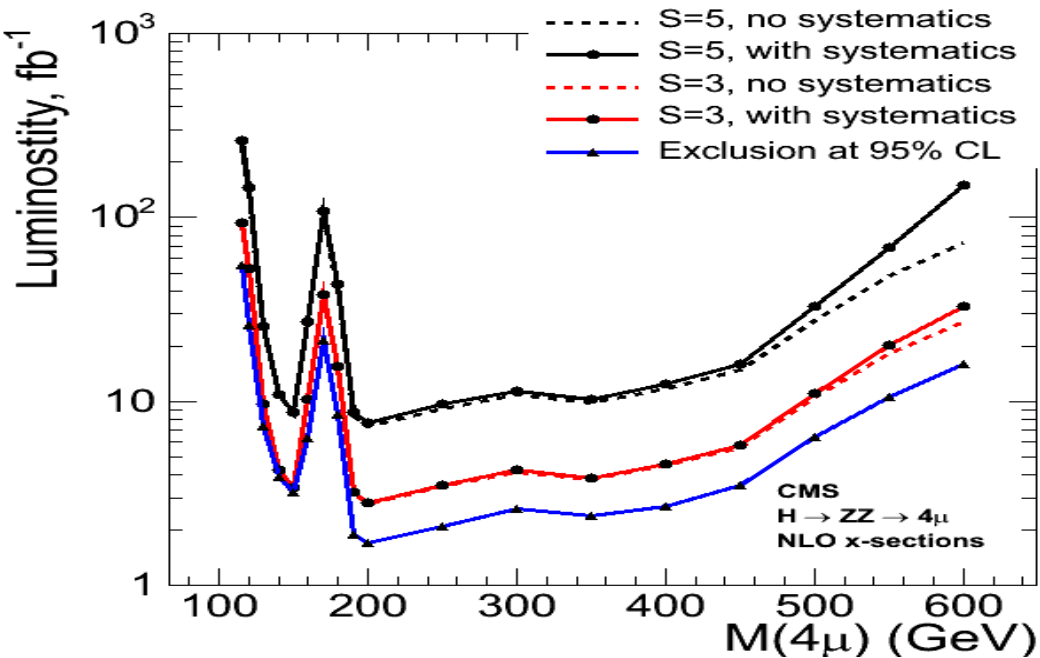
$H \rightarrow ZZ \rightarrow 4\mu$

Systematics for 4μ final state



H → ZZ → 4l

Results



- combining the final states:
- ◆ exclusion in almost the full mass range with $\sim 1 \text{ fb}^{-1}$
- ◆ discovery for $M_H > \sim 2M_Z$ with $\sim 5 \text{ fb}^{-1}$. For M_H in $[140-150]$ 10 could be sufficient

$H \rightarrow WW \rightarrow 2l2\nu$

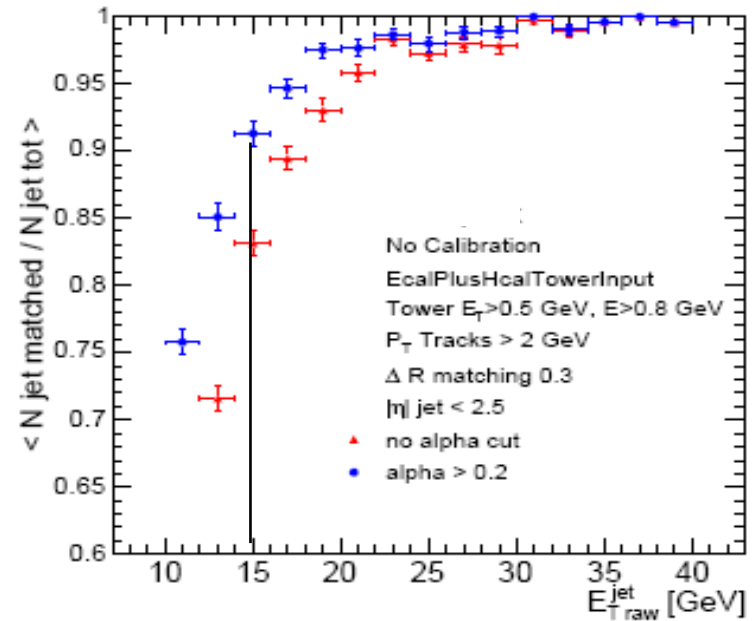
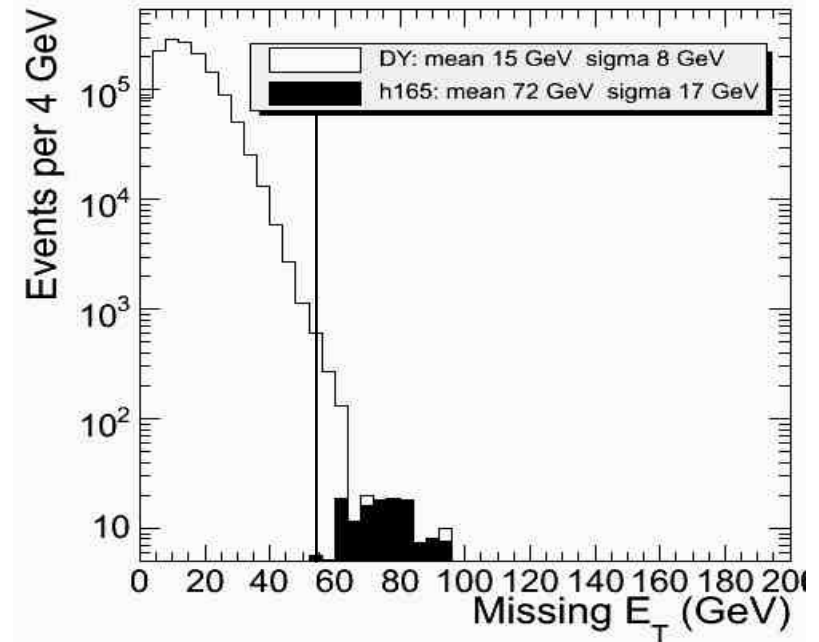
- Extremely clean signal: 2 isolated high P_t leptons pointing to the same primary vertex, “high” Missing E_t and NOTHING else in the detector
- High x -sec*BR but NO Invariant mass peak!
- Main backgrounds:
 - ◆ WW. irreducible. Reweighted by NLO $P_{t_{WW}}$. $gg \rightarrow WW$ also simulated
 - ◆ t - t_{bar} . reduced by jet veto. NLO x -sec (840 pb) used
 - ◆ Single top (Wt final state). Non trivial to separate from t - t_{bar}
 - ◆ Drell Yan. in the case of same flavor final state, reduced by M_{ll} and ME_t
 - ◆ WZ, ZZ $\rightarrow 2l$, b - b_{bar} negligible
- Discriminating variable is the opening angle between the 2 leptons (scalar nature of the Higgs + V-A structure of weak interactions). Spin correlation in the simulation matters!
- The viability of the channel depends on the possibility to evaluate each background contribution from the data

H \rightarrow WW \rightarrow 2l2v Detector Issues

- At the LHC the MET is never 0. Long tail even in clean events like DY+0 jets. Need to normalize MET measurement directly on data, best candidate Z boson

- Vetoing the jets is an extremely delicate task: difficult to define a jet at low Et and high rapidity. Tracker information used to reduce fake rate:

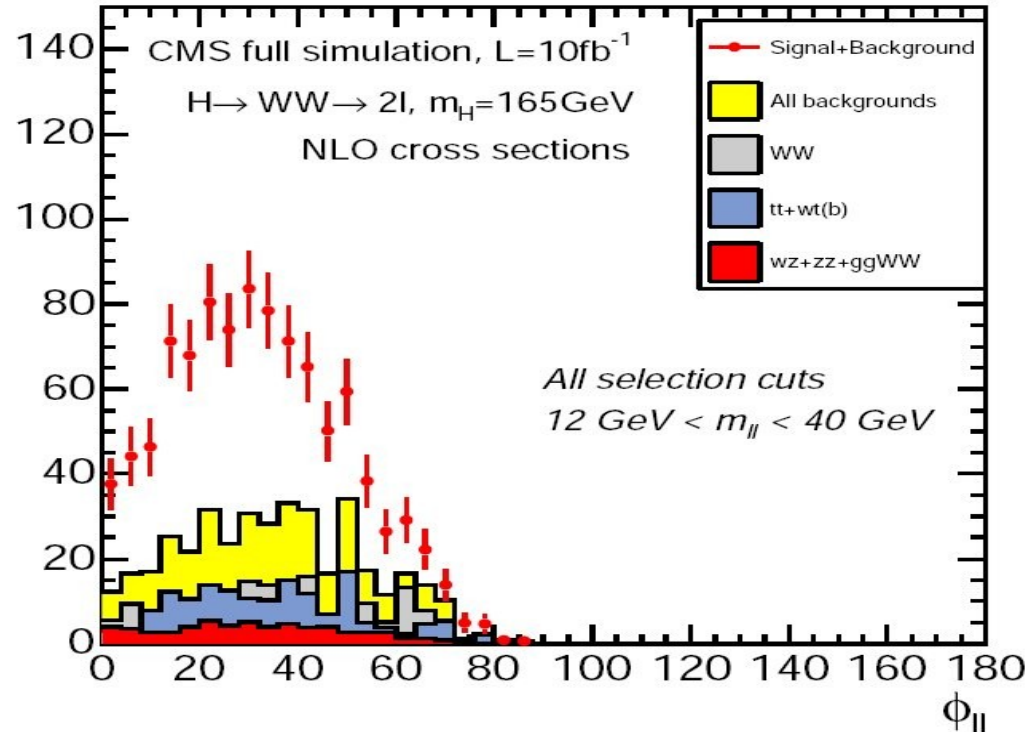
$$\alpha = \frac{\sum_{sel.tracks} p_T}{E_T(jet)}$$



H → WW → 2l2ν

Selections

- Squeezing to the signal phase space:
 - ◆ lepton id (#, charge, isolation)
 - ◆ Vertex constrain
 - ◆ lepton P_t
 - ◆ M_{ll} cut
 - ◆ MET
 - ◆ Jet Veto
 - ◆ ϕ_{ll}

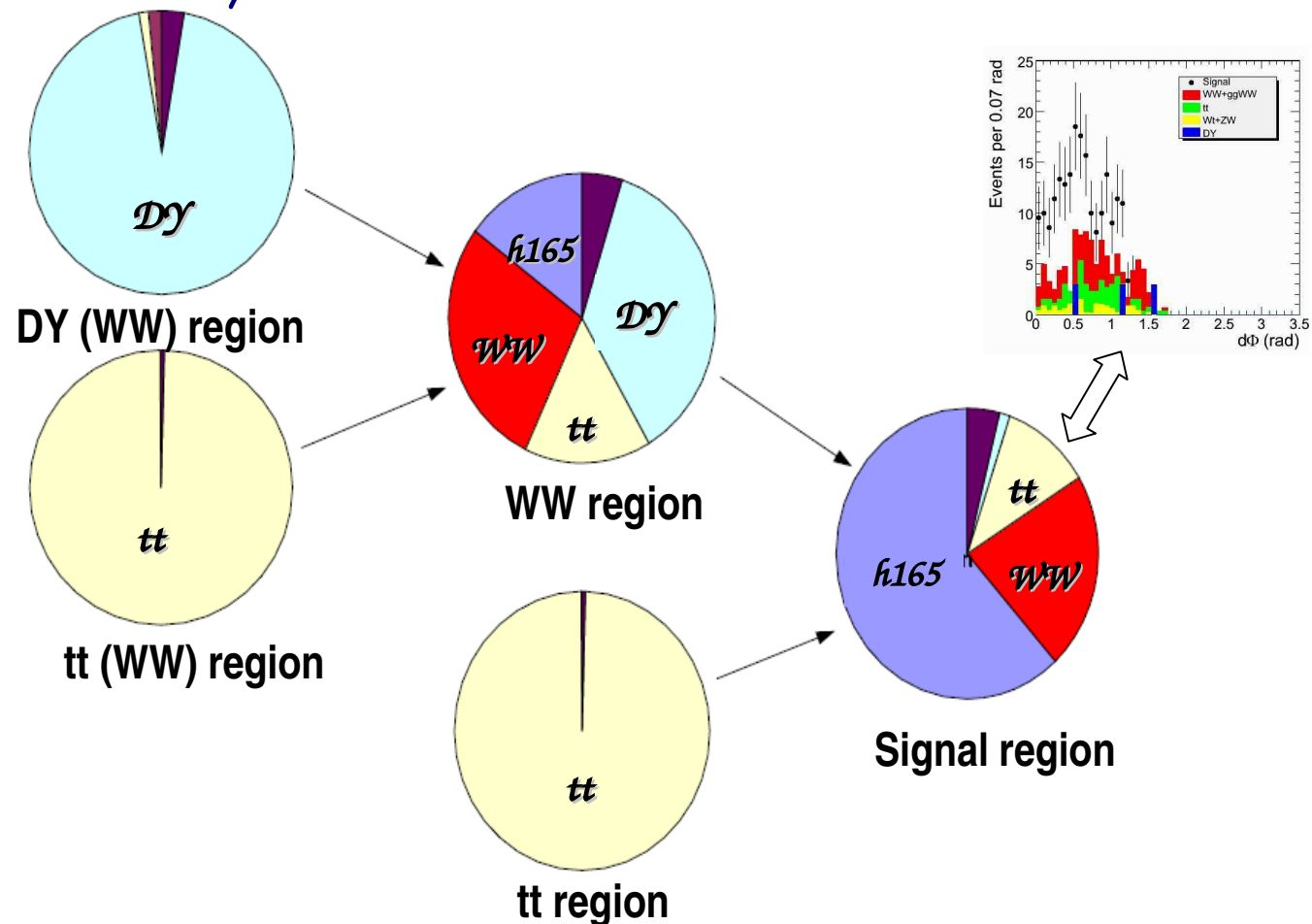


Reaction $pp \rightarrow X$	$\sigma_{\text{NLO}} \times \text{BR}$	L1+HLT	2 leptons	All cuts
$l = e, \mu, \tau$	pb	Expected event rate in fb		
H → WW → ll, $m_H = 160$ GeV	2.34	1353 (58%)	359 (27%)	42 (12%)
H → WW → ll, $m_H = 165$ GeV	2.36	1390 (59%)	393 (28%)	46 (12%)
H → WW → ll, $m_H = 170$ GeV	2.26	1350 (60%)	376 (28%)	33 (8.8%)
qq → WW → ll	11.7	6040 (52%)	1400 (23%)	12 (0.9%)
gg → WW → ll	0.48	286 (60%)	73 (26%)	3.7 (5.1%)
tt → WWbb → ll	86.2	57400 (67%)	15700 (27%)	9.8 (0.06%)
tWb → WWb(b) → ll	3.4	2320 (68%)	676 (29%)	1.4 (0.2%)
ZW → lll	1.6	1062 (66%)	247 (23%)	0.50 (0.2%)
ZZ → ll, νν	1.5	485 (32%)	163 (34%)	0.35 (0.2%)
Sum backgrounds	105	67600 (64%)	18300 (27%)	28 (0.2%)

$H \rightarrow WW \rightarrow 2l2\nu$

Backgrounds normalization

- Compulsory to rely on data to get background contribution in the signal region. A control phase space region for each background eventually with sub-control regions (e.g. for WW)
- The uncertainties on the extrapolated number of background events set the amount of integrated luminosity needed



Normalization schema
for $2\mu 2\nu$ final state

H → WW → 2l2ν

t-t_{bar} background normalization (example)

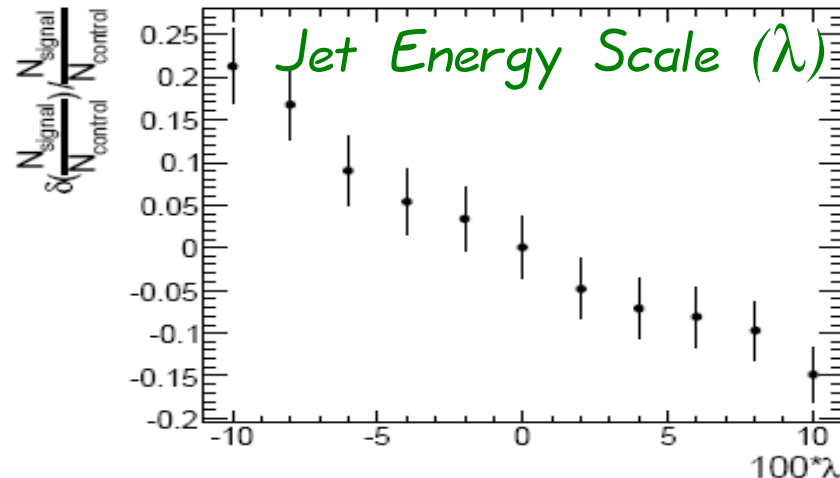
- Control region defined by the same selections as for the signal region but the jet veto. 2 b-tagged jets are required in addition
- The procedure relies on the relation:

$$N_{\text{signal}_{reg}} = \frac{N_{\text{signal}_{reg}}^{MC}}{N_{\text{control}_{reg}}^{MC}} N_{\text{control}_{reg}} = \frac{\sigma_{\text{signal}_{reg}}^{MC}}{\sigma_{\text{control}_{reg}}^{MC}} \frac{\epsilon_{\text{signal}_{reg}}^{MC}}{\epsilon_{\text{control}_{reg}}^{MC}} N_{\text{control}_{reg}}$$

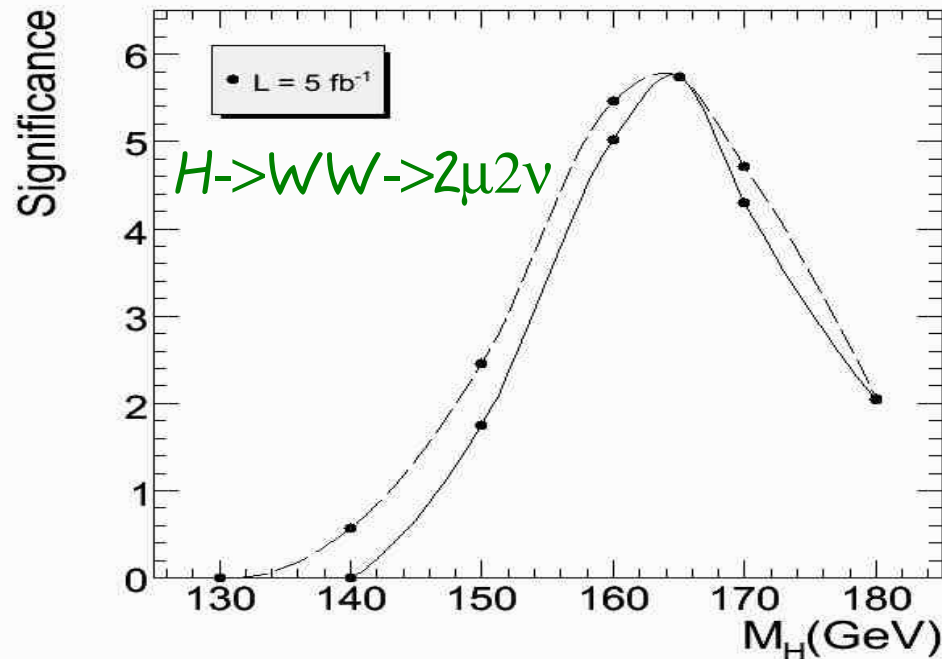
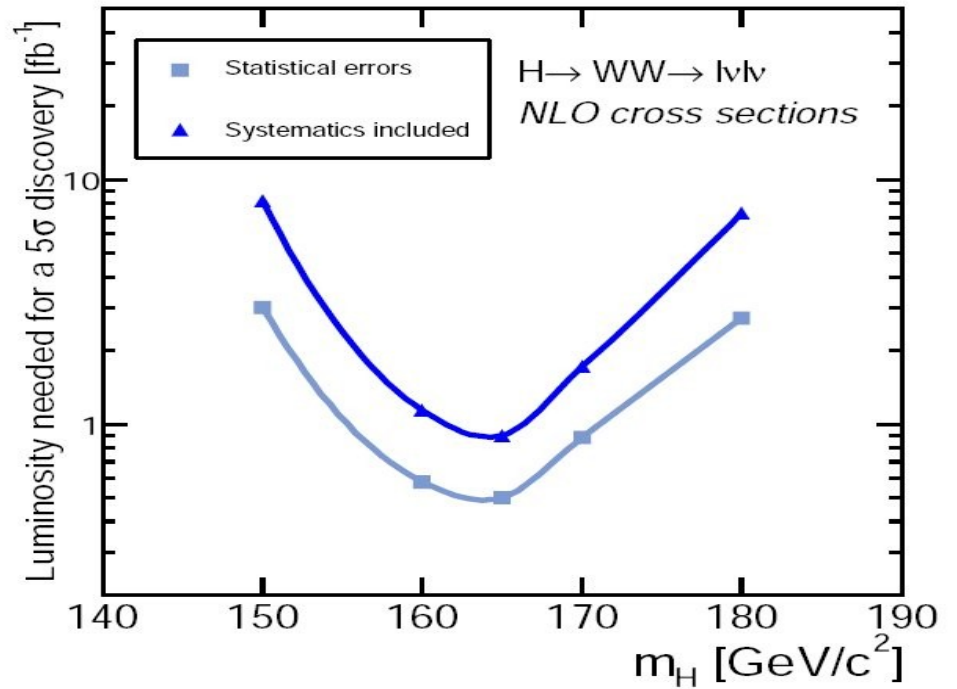
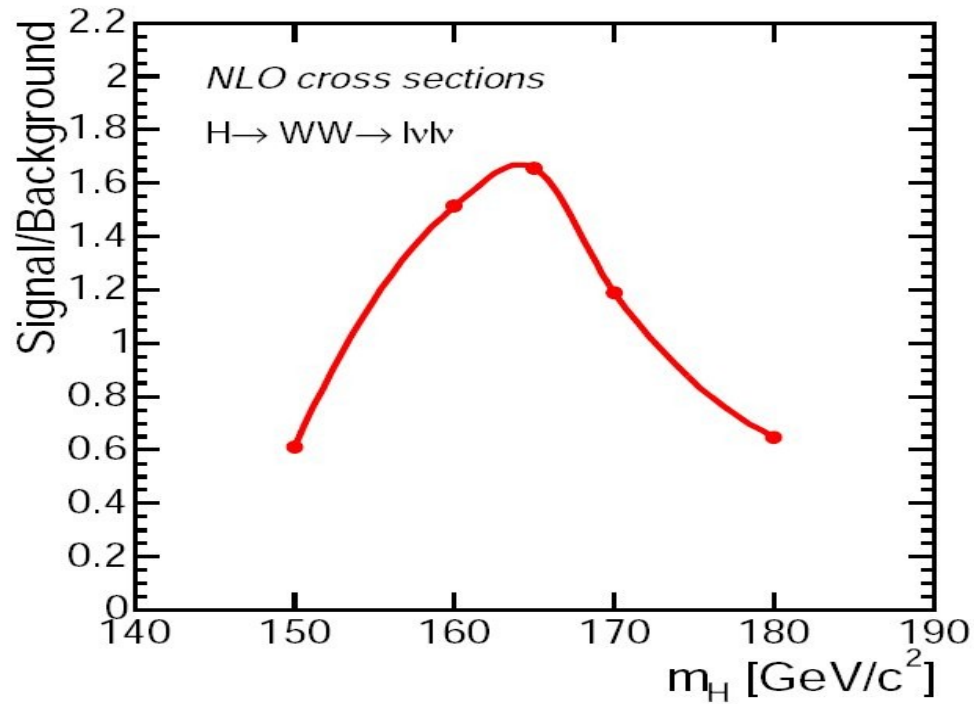
Theor. Error	Detector systematics			Stat. Error	Total Error
	JES	α crit.	b-tagging		
(L = 1 fb ⁻¹)	10 %	4 %	11 %	24 %	30 %
(L = 5 fb ⁻¹)	10 %	6 %	9 %	11 %	19 %

(L = 1 fb⁻¹)

Channel	Signal region	t _{bar} t region
Signal	14.3	0.0
t _{bar} t	2.6	17.0
WW	5.1	0.0
DY	0.3	0.0
Wt,ZZ,WZ	0.8	0.1
all	23.1	17.1



H → WW → 2l2ν Results

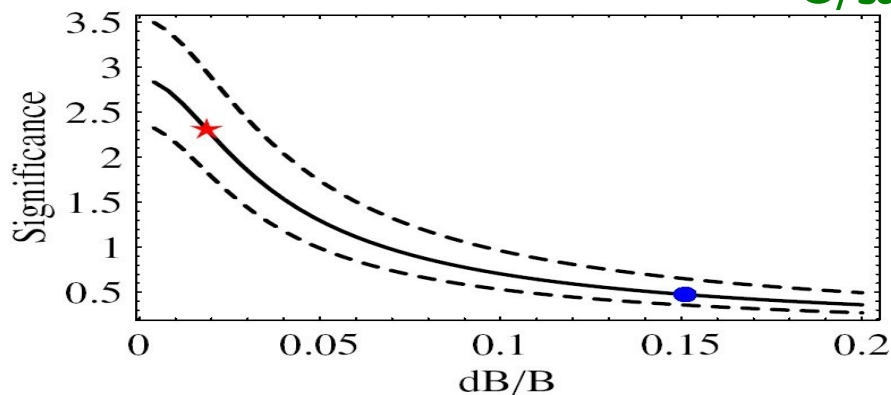


- High(est) discovery potential: If $M_H = 165$ GeV, only ~ 1 fb⁻¹ may be needed
- Pay attention to the high number of experimental and theoretical systematics in the game.
- No mass measurement method yet available

$ttH; H \rightarrow b\bar{b}$

- Extremely exclusive signature suitable for low M_H , disfavored by the low x-sec
- 3 final states taken in consideration:
 - ◆ $H \rightarrow b\bar{b}, t \rightarrow \mu/e \nu b, t \rightarrow \mu/e \nu b$ (fully leptonic)
 - ◆ $H \rightarrow b\bar{b}, t \rightarrow bqq, t \rightarrow \mu/e \nu b$ (semileptonic)
 - ◆ $H \rightarrow b\bar{b}, t \rightarrow bqq, t \rightarrow b\bar{b} qq$ (fully hadronic)
- In all cases many jets in the event. Background coming also from the wrong jets combinatorial
- Major backgrounds from $ttbb, Ztt, tt+N$ jets and multijets QCD events
- Major problem is the normalization of the background from data: Anti b-tag methods used to select $tt+N$ jets background w/o signal contribution
- Many sources of uncertainty: mainly MC predictions, Jet Energy Scale and b-tagging efficiency. *These systematics (too pessimistic?) kill the signal.*

S/\sqrt{B} for 60 fb^{-1}

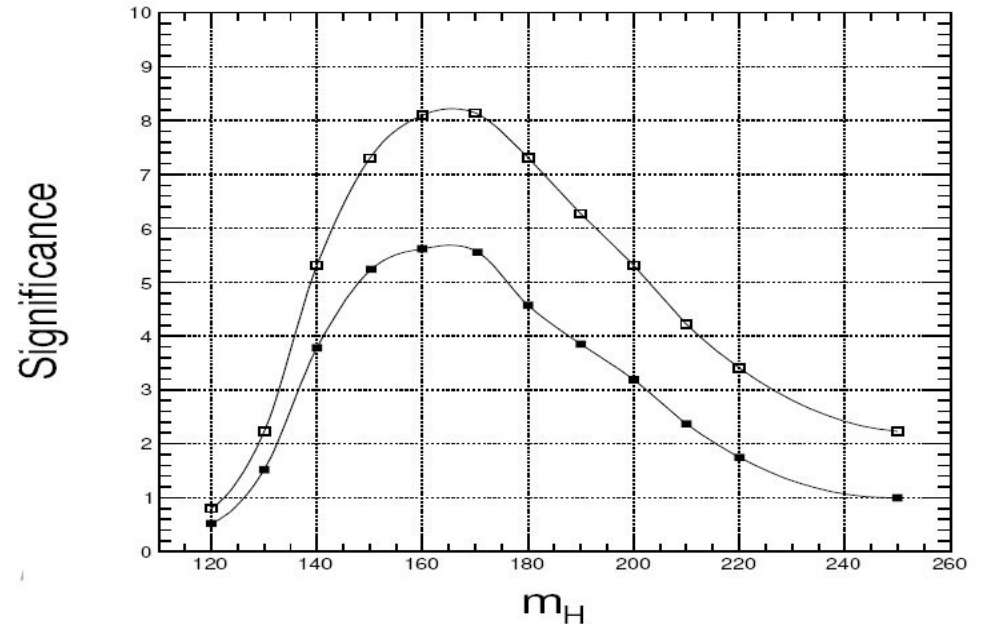
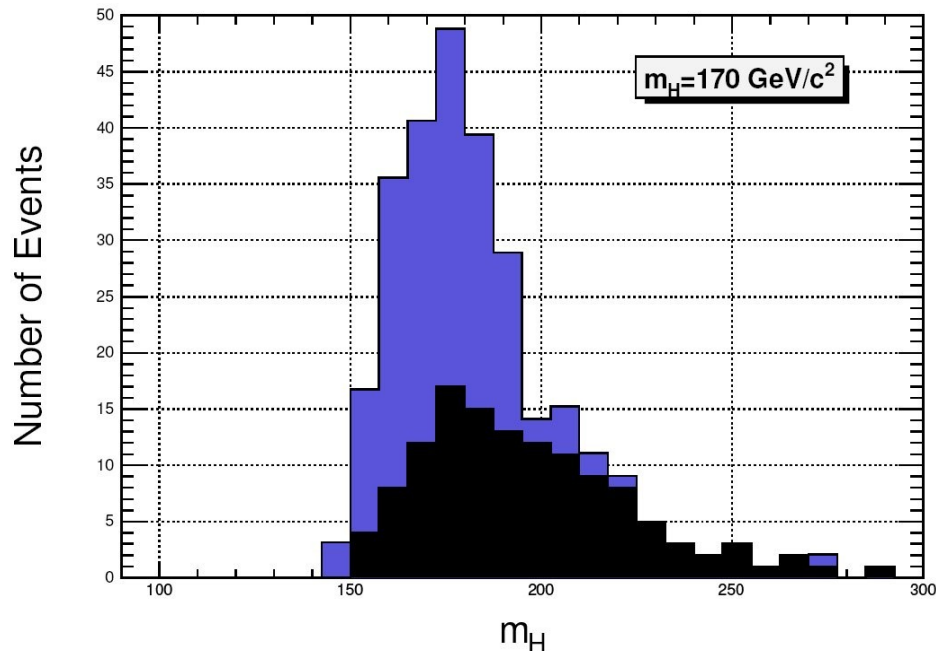


	Mh=115	Mh=120	Mh=130
fully leptonic	1.76	1.39	0.86
semi leptonic (μ)	2.4	1.9	1.3
semi leptonic (e)	1.7	1.4	0.86
fully hadronic	2.61	2.37	1.61

$q\text{-}q\text{-bar } H; H \rightarrow WW \rightarrow l\nu q\text{-}q\text{-bar}$

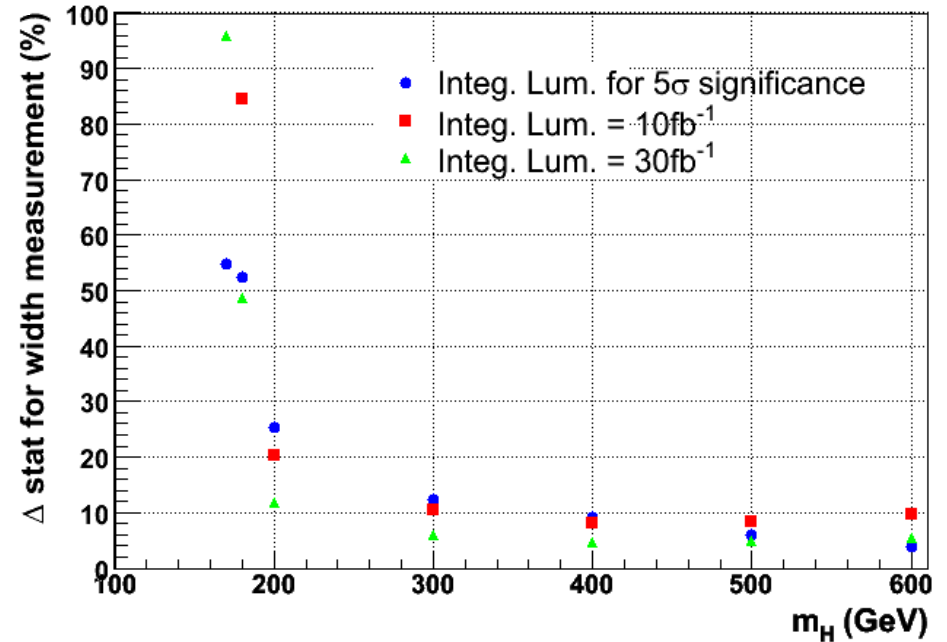
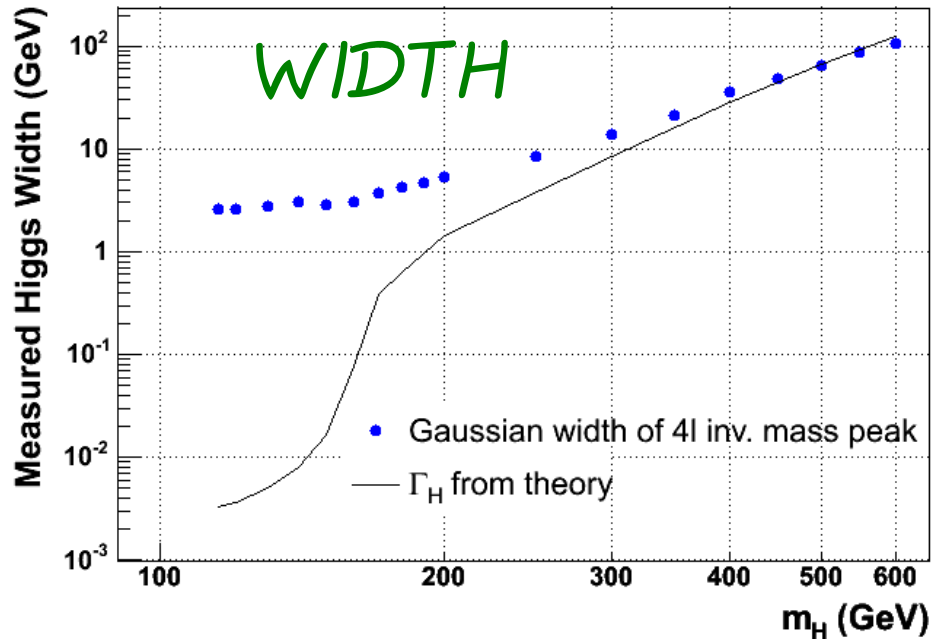
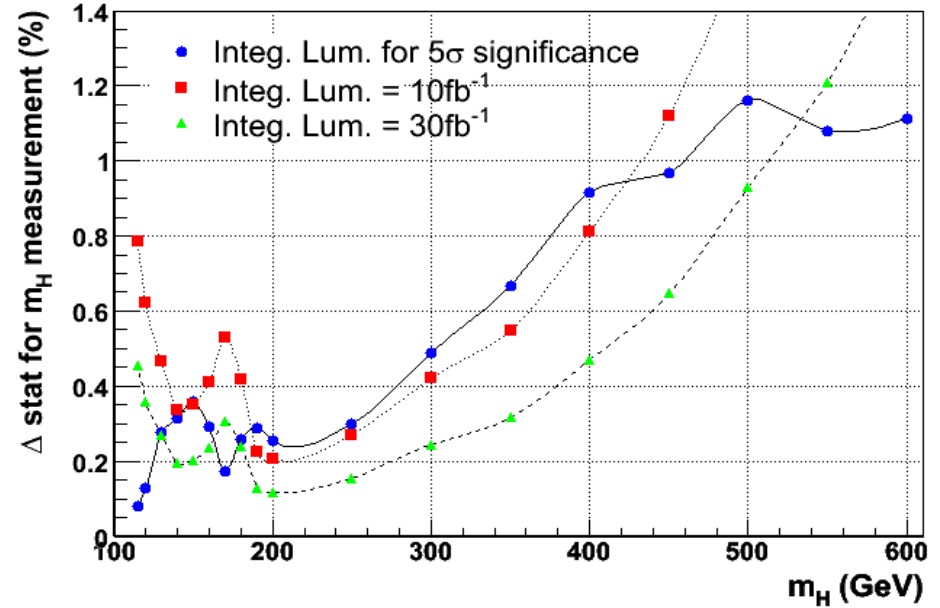
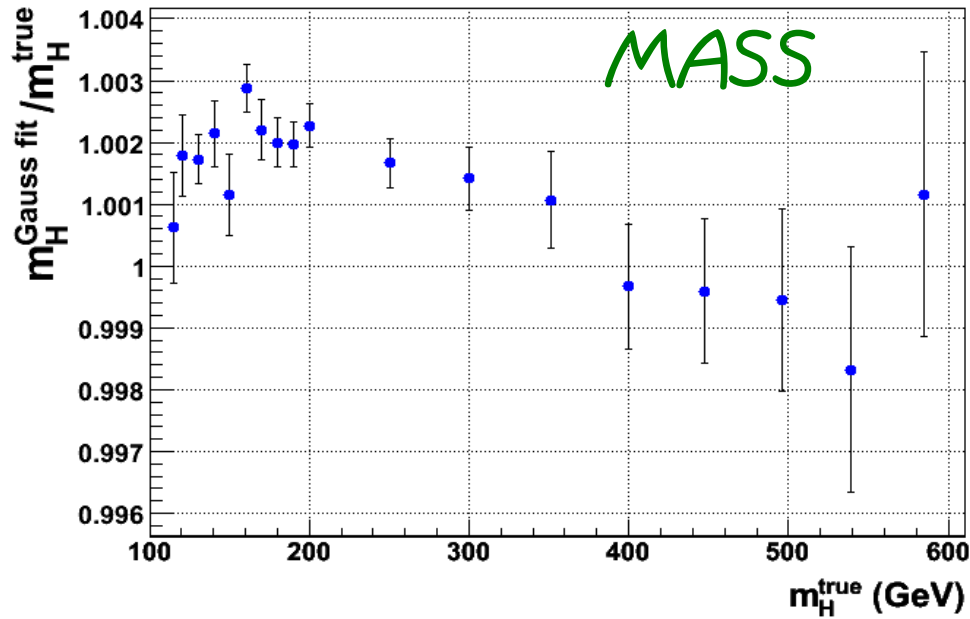
- Exclusive signature suitable for M_H , ranging between 120 and high masses, characterized by two forward tagging jets
- Like inclusive $H \rightarrow WW$ but with hadronic $W \Rightarrow$ Higgs mass
- Backgrounds from $tt + N\text{jets}$, $W(W) + \text{jets}$ and QCD
- To extrapolate the selection efficiency for QCD events, the selections are factorized into 3 groups and each group's efficiency measured directly from data
- Main systematics from Jet energy scale and resolution, MET resolution and lepton isolation ($\sim 15\%$)

$$L = 60 \text{ fb}^{-1}$$



Higgs properties

from $H \rightarrow ZZ \rightarrow 2e2\mu$



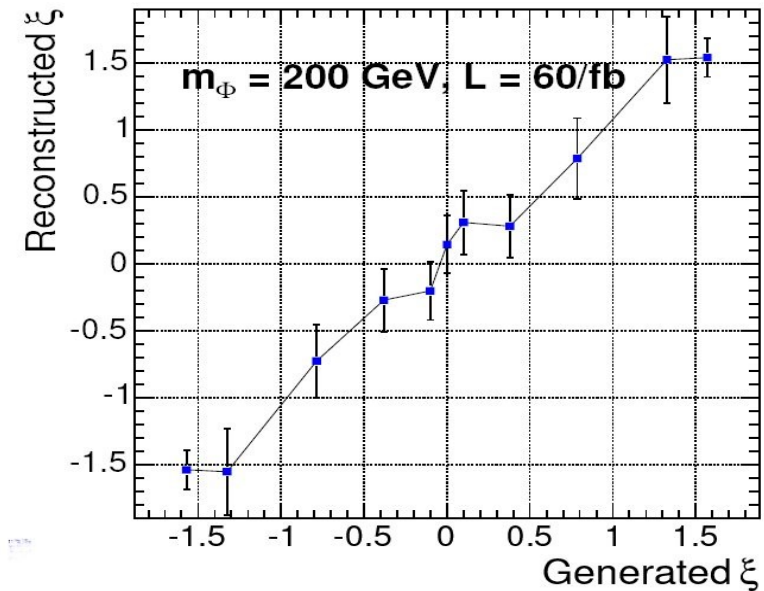
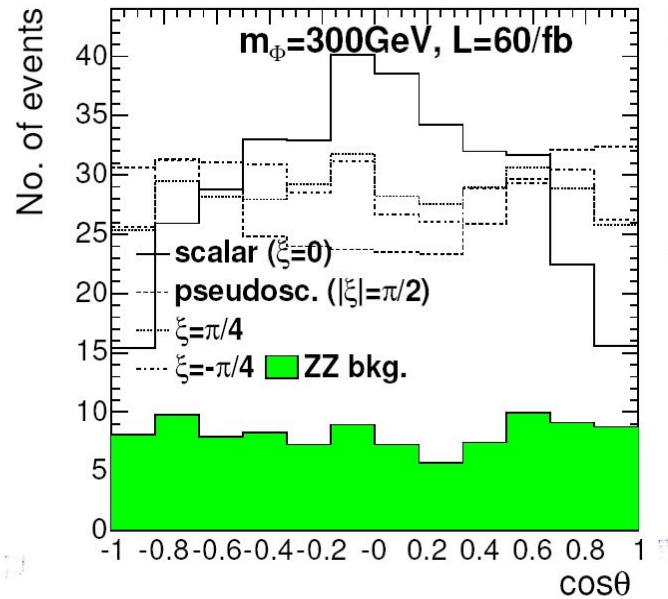
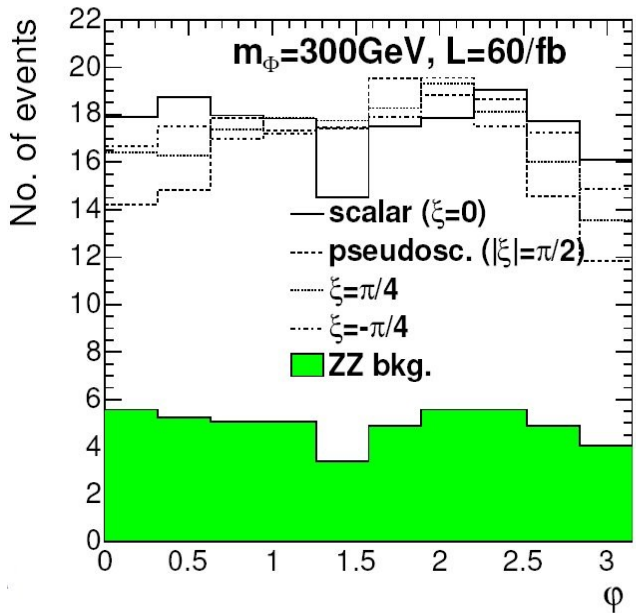
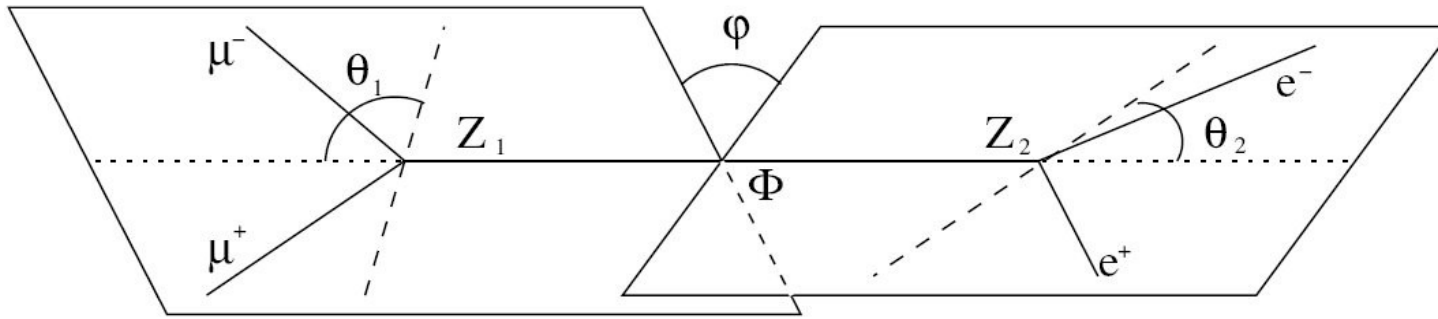
Higgs properties

CP Properties

$$C_{\Phi VV} = \kappa \cdot \delta^{\mu\nu} + \frac{\tan(\xi)}{m^2} \cdot \epsilon^{\mu\nu\rho\sigma} k_{1\rho} k_{2\sigma}$$

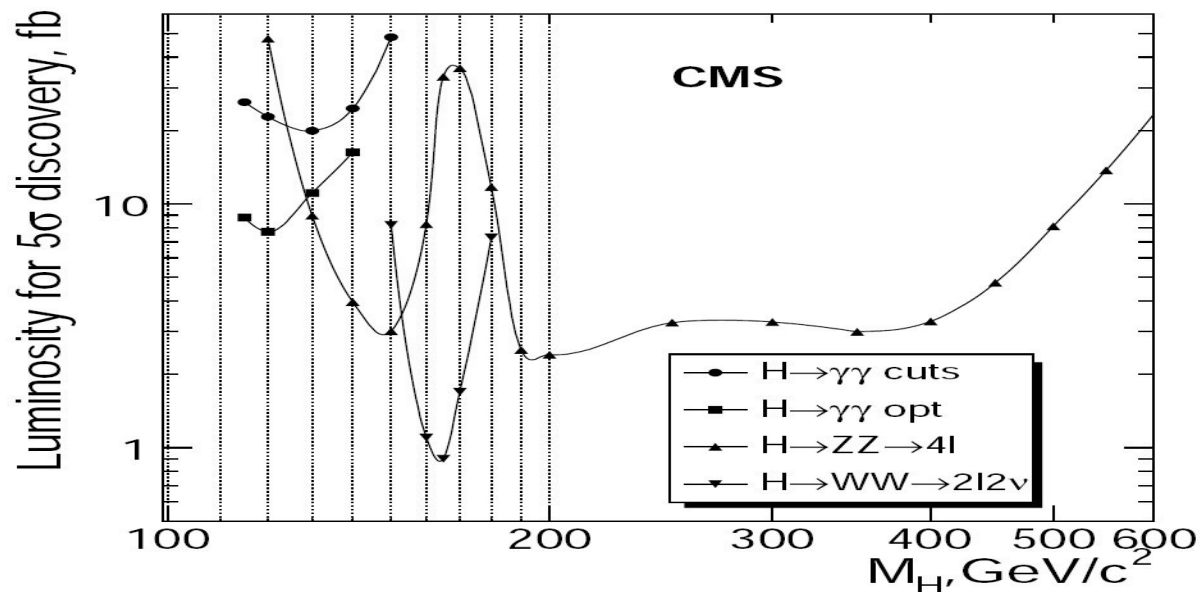
$$d\sigma(\tan(\xi)) \sim H + \tan(\xi) I + \tan(\xi)^2 A$$

Scalar CP violating PseudoScalar

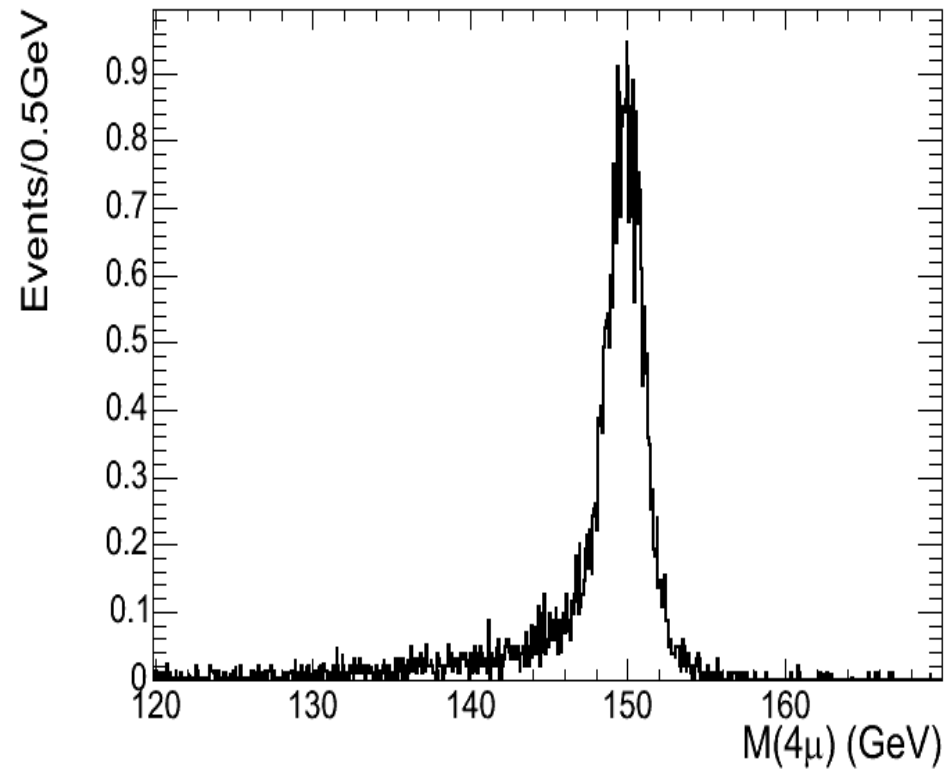
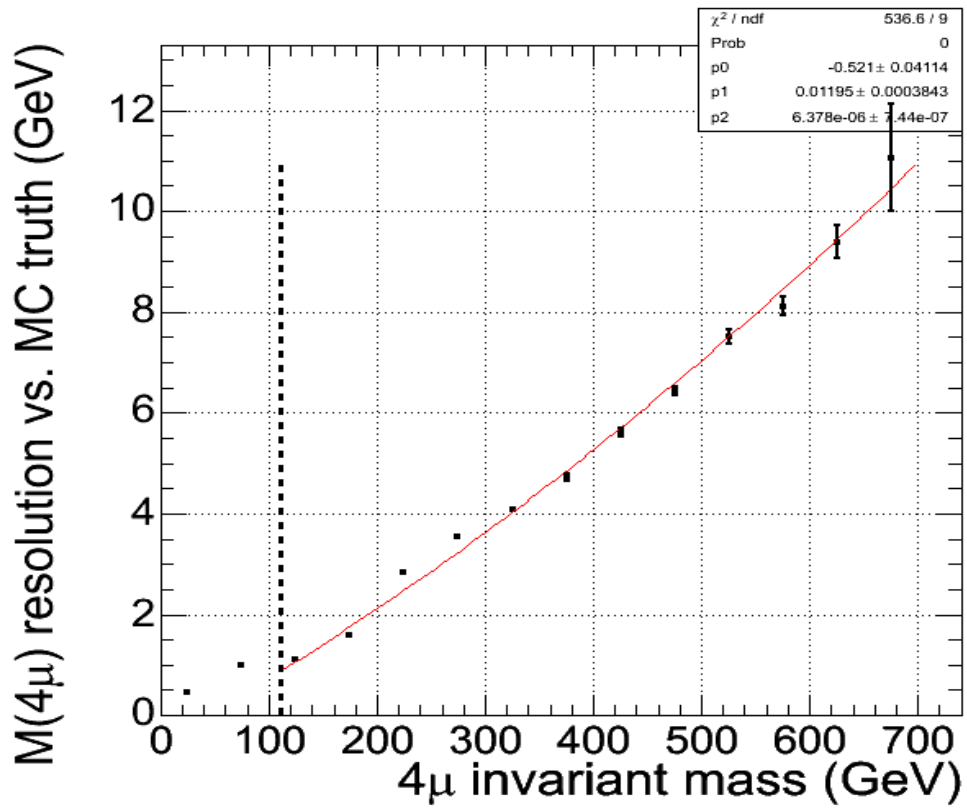


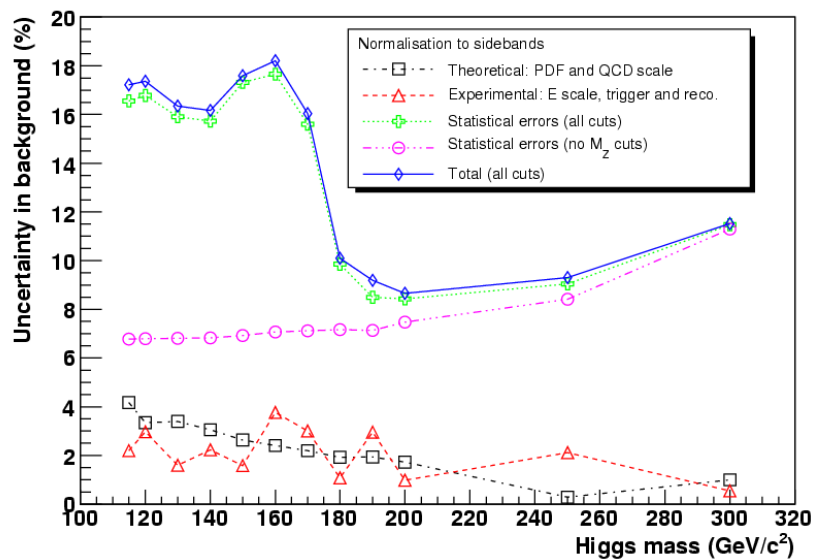
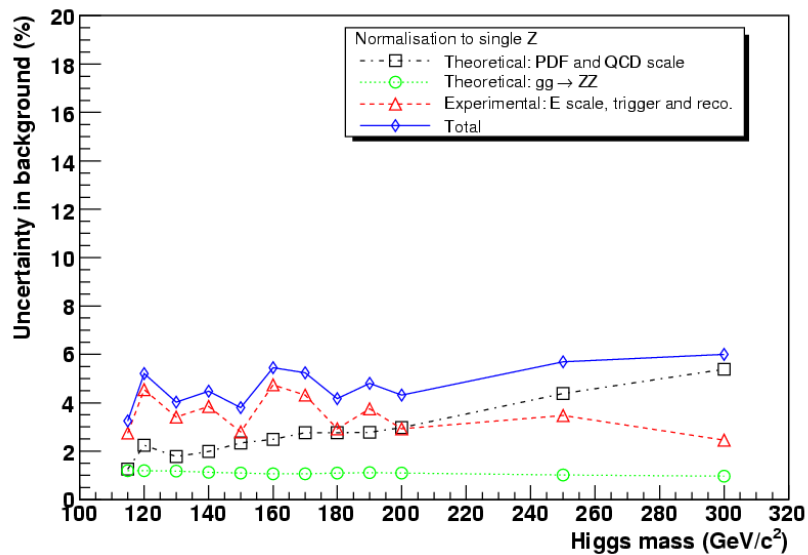
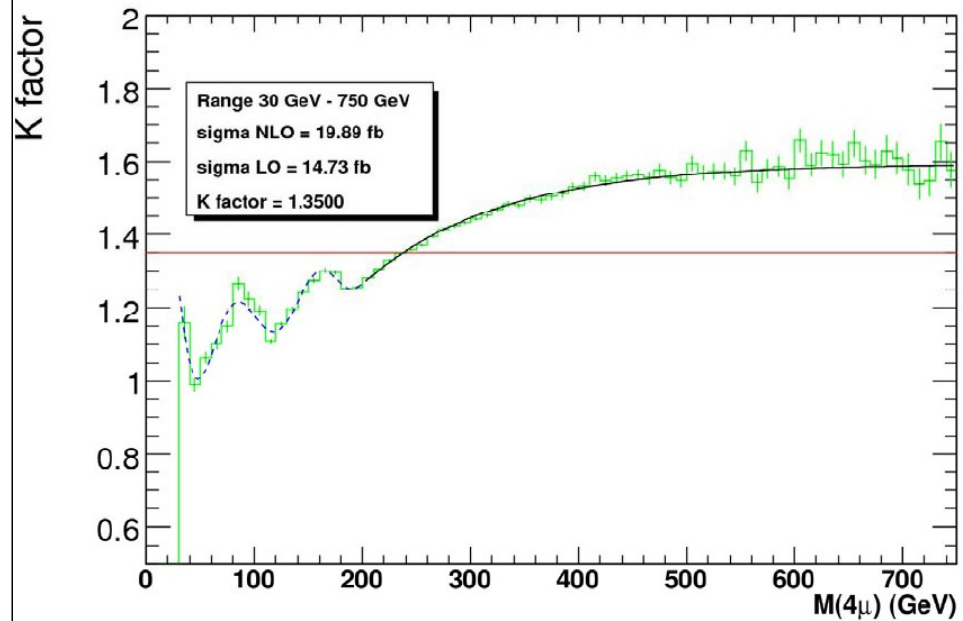
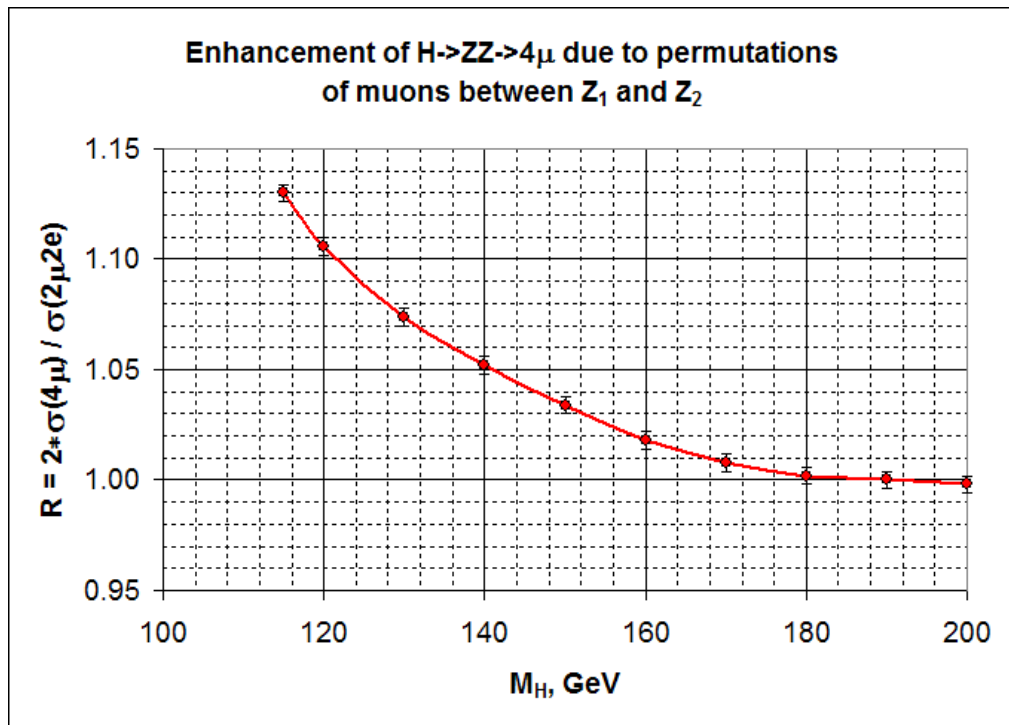
Conclusions

- Most up-to-date full simulation studies show that the Higgs boson can be discovered with $\sim 10 \text{ fb}^{-1}$ whatever M_H . For specific mass ranges (~ 160) even $\sim 1 \text{ fb}^{-1}$ could be enough
- Exclusion at 95% can be obtained with 5 fb^{-1} for very low masses and $\sim 1 \text{ fb}^{-1}$ in the rest of the mass range.
- However, pay attention to the systematic estimation!
- Exclusive channels not suitable for a fast discovery but useful as confirmation and for exploring Higgs properties
- Mass resolution $\sim 0.1\%$ for M_H . Width resolution below natural width only above 200 GeV . CP properties for higher luminosity

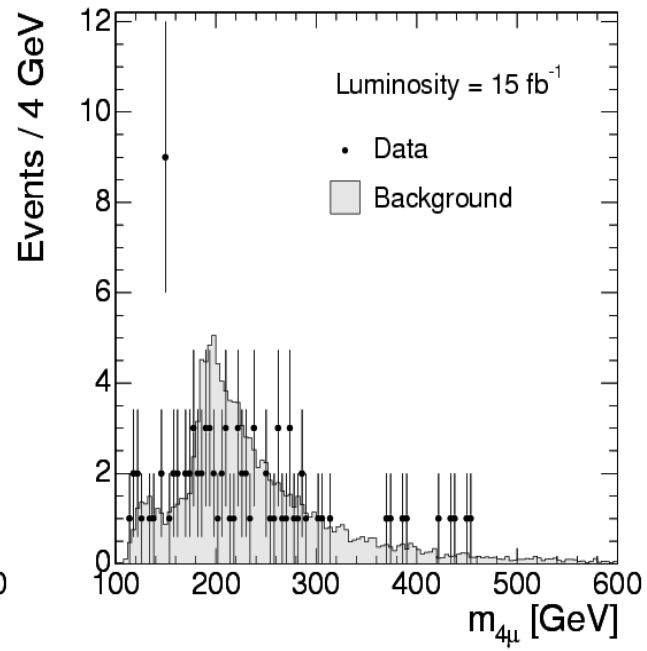
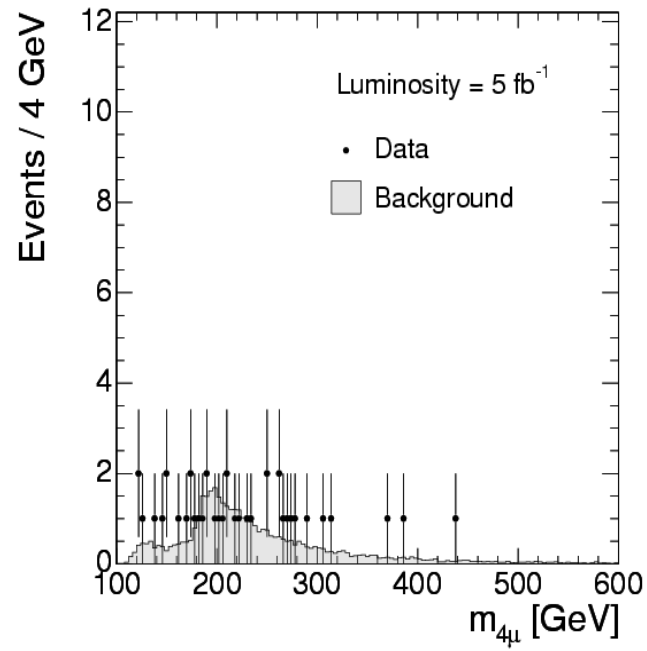


BAK UPS

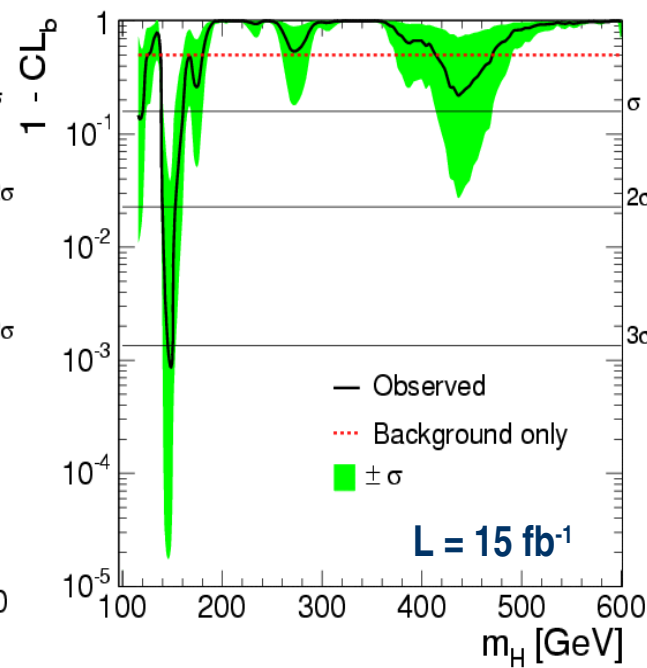
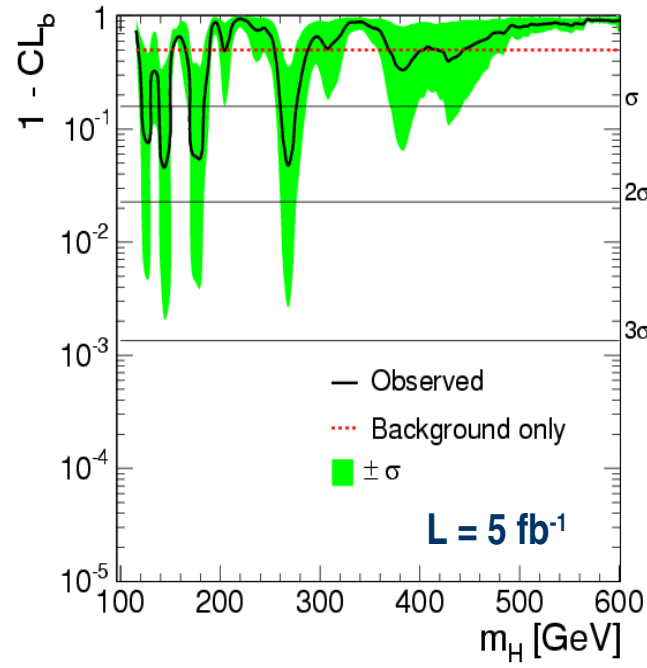




- $m_{4\mu}$ distributions for randomly selected pseudo-experiments ('data') with the expected statistics for $L = 5\text{fb}^{-1}$ and $L = 15\text{fb}^{-1}$, assuming $m_H = 150\text{ GeV}$



- $1-CL_b$ distributions show how incompatible with the B -only hypothesis are data:



- Low significance over the background expectation for $L = 5\text{fb}^{-1}$
- Higher significance (above 3σ) after accumulating 10fb^{-1} more

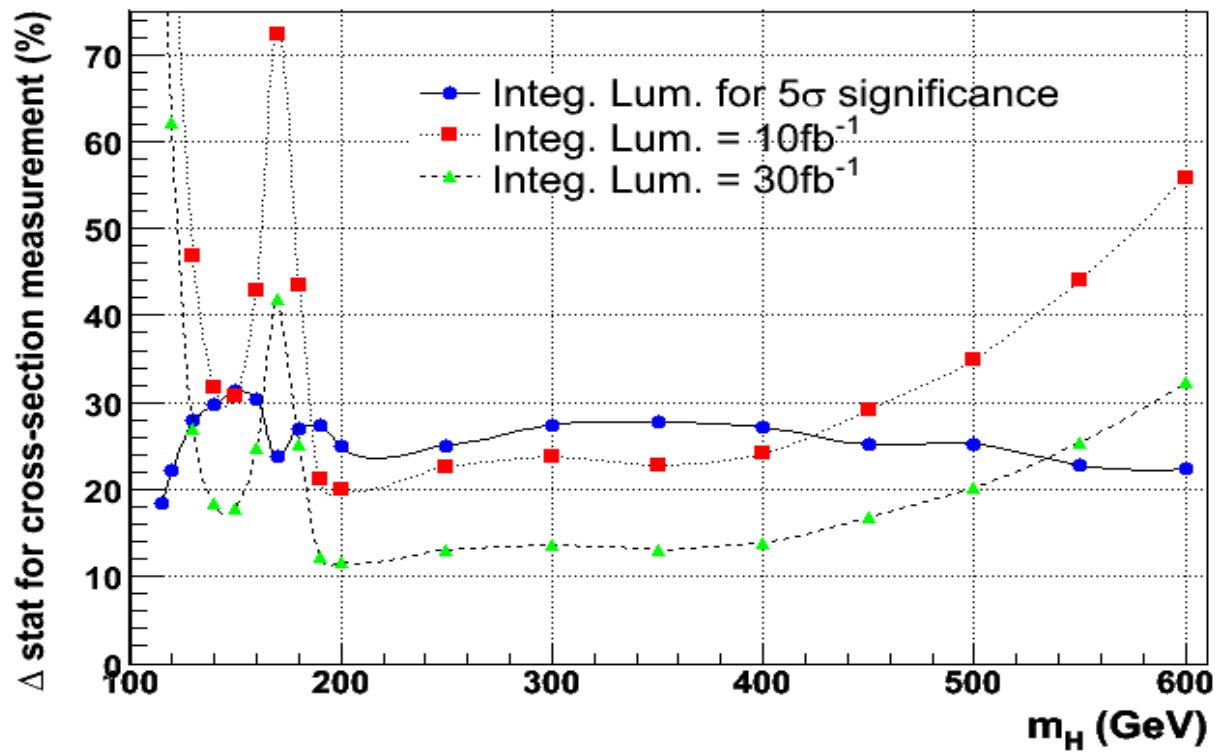
Likelihood Ratio: $Q = \frac{\text{Probability}(s+b)}{\text{Probability}(b)}$

Significance Estimator: $S = \sqrt{2 \ln Q}$

One-bin LLR (counting experiment, S_{cL}) $2 \ln Q = 2 \ln \frac{\frac{(s+b)^n}{n!} e^{-(s+b)}}{\frac{b^n}{n!} e^{-b}} = 2n \ln(1 + s/b) - 2s$

Binned LLR (S_L) $2 \ln Q = 2 \sum_{bins} \left(n_i \ln(1 + s_i/b_i) - 2s_i \right)$

Unbinned LLR (S_L) $2 \ln Q = 2 \sum_{events} \ln \left(\frac{pdf_{S+B}(m_i)}{pdf_B(m_i)} \right)$



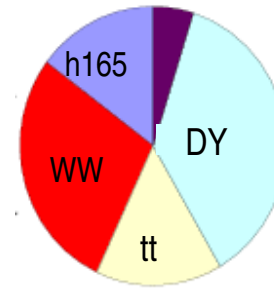
WW control region

- $\Delta\phi$ between muons > 0.8
- $50 \text{ GeV} < \text{Muon Invariant Mass} < 80 \text{ GeV}$

Number of events

($L = 1 \text{ fb}^{-1}$)

Channel	Signal region	WW region	$t\bar{t}$ (WW) region	DY (WW) region
Signal	14.3	6.0	0.0	0.1
$t\bar{t}$	2.6	6.2	24.7	3.2
WW	5.1	11.5	0.0	4.4
DY	0.3	15.0	0.0	267
Wt,ZZ,WZ	0.8	1.9	0.1	7.3
all	23.1	40.6	24.8	282



WW control region

$t\bar{t}(WW)$ control region

- JET veto removed
- 2 b-tagged jets

DY(WW) control region

- $80 \text{ GeV} < m_{\mu_1\mu_2} < 100 \text{ GeV}$

$$\frac{N_{signal_{reg}}^{MC}}{N_{control_{reg}}^{MC}} = \frac{11.5}{5.1}$$

$$N_{control_{reg}} = N_{tot} - N_{tt} - N_{DY} - N_{Wt, ZZ, WZ} - N_{h165} \Rightarrow$$

$$N_{control_{reg}} = N_{tot} - N_{tt} - N_{DY} - N_{Wt, ZZ, WZ} \Rightarrow$$

$$N_{signal_{reg}} = 5.1 \quad (*)$$

$$N_{signal_{reg}} = 7.3$$

(*) removing the signal contamination

Systematic error

uncertainty on the composition of $tt(WW)$ control region

uncertainty on the composition of $DY(WW)$ control region

(L = 1 fb⁻¹)

(L = 5 fb⁻¹)

Syst. Error	Stat. Error	Total Error
20 %	20 %	28 %
15 %	9 %	17 %

Syst. Error	Stat. Error	Total Error
5 %	6 %	8 %
5 %	3 %	6 %

WW control region: dominant error from statistics

(L = 1 fb⁻¹)

(L = 5 fb⁻¹)

Err. $tt(WW)$	Err. $DY(WW)$	Sys. WW	Sys. Wt	Sys. ZW	Sys. ZZ	Bkg ±Err.	Bkg±Err. (*)
28 %	8 %	9 %	40 %	20 %	20 %	7.3±3.0 (41%)	5.1±3.0 (60%)
17 %	6 %	9 %	40 %	20 %	20 %	36.8±7.8 (21%)	25.5±7.8 (21%)

Ref ($DY(WW)$): T.Sjostrand et all , Comp. Phys. Comm. 135 (2001)

Ref. WW : V. Drollinger, CMS NOTE 2005/024

(*) removing the signal contamination